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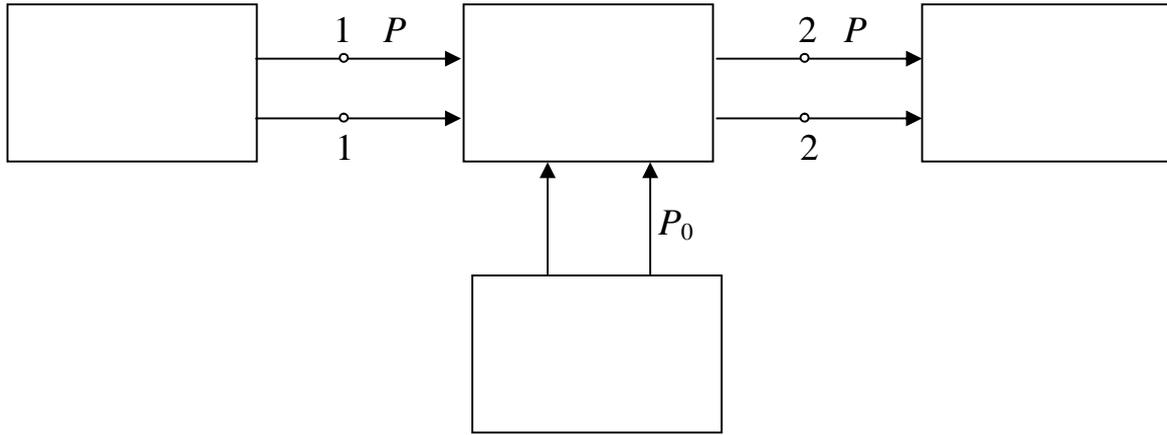
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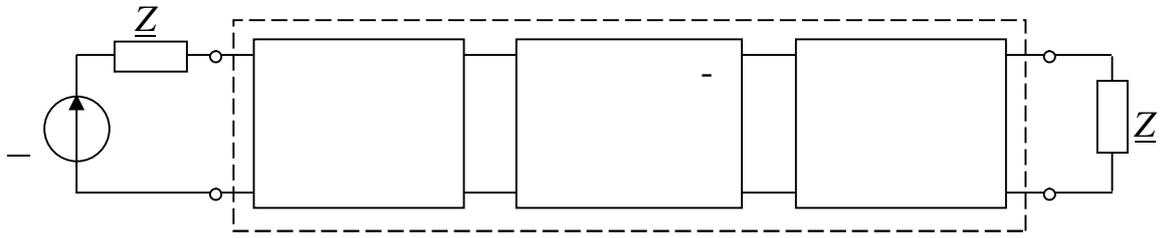
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. 1.2.



1.2 -

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$$f = 0$$

f .

$$f / f \approx 1;$$

$$f / f \gg 1.$$

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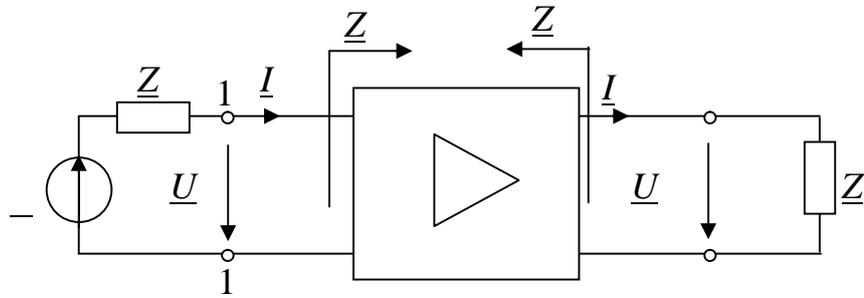
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2.



2.1 –

, $\underline{Z} = R$, $\underline{Z} = R$,

2.1.

I , U , Z , $\underline{Z} = \frac{U}{I}$. (2.1)

f_0 ,

$R = \frac{U}{I}$, (2.2)

$U \cdot I$ –

$= U \cdot I$. (2.3)

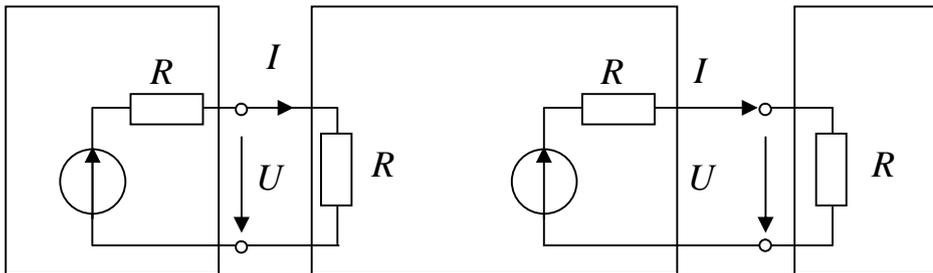
$R \rightarrow \infty$) $\underline{Z} = \frac{U}{I}$, (2.4)

$(\dots R = 0)$.

f_0), $R = \frac{U}{I}$, (2.5)

U I R R , R R .

2.2



2.2 -

. 2.2, R R R R -

U $R \gg R, R \ll R$. (2.6)

$R \rightarrow \infty, R \rightarrow 0$.

$$: R = R, R = R .$$

$$U, I - \quad (\quad) = U \cdot I , \quad (\quad) . \quad (2.7)$$

2.2.

$$\underline{K}_u = \frac{U}{U} = K_u \cdot e^{j\varphi_u} ; \quad (2.8)$$

$$\underline{K}_i = \frac{I}{I} = K_i \cdot e^{j\varphi_i} ; \quad (2.9)$$

$$\underline{K}_e = \frac{U}{E} = K_e \cdot e^{j\varphi_e} ; \quad (2.10)$$

$$K_p = \frac{P}{P} . \quad (2.11)$$

$$\underline{K}_u, \underline{K}_i \quad \underline{K}_e$$

$$K_p -$$

$$\underline{K}_e .$$

$$R \rightarrow \infty (\quad) , I = 0 ,$$

$$= 0 ,$$

$$\underline{K} = \underline{K}_e = \underline{.} . \quad (2.12)$$

$$(\quad)$$

$$f$$

$$(\quad)$$

$$K_e = \frac{U}{E} = \frac{U}{E_m} \cdot m . \quad (2.13)$$

$$e = \quad (\quad) \quad (2.14)$$

K_u, K_i

u, i

$$K_u = 20 \lg K_u, \quad (2.15)$$

$$K_e = 20 \lg K_e, \quad (2.16)$$

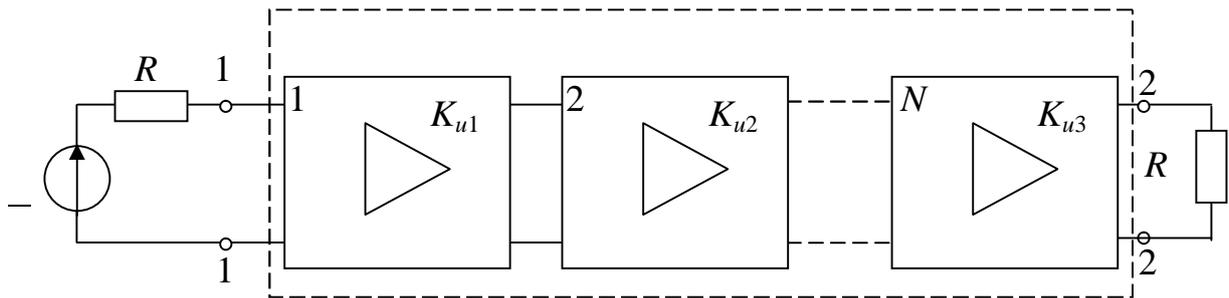
$$K_p = 10 \lg K_p. \quad (2.17)$$

$$K_u = 10^{\frac{K_u}{20}}, \quad (2.18)$$

$$K_e = 10^{\frac{K_e}{20}}, \quad (2.19)$$

$$K_p = 10^{\frac{K_p}{10}}. \quad (2.20)$$

2.3.



2.3 -

$$\underline{K}_u = \underline{K}_{u1} \cdot \underline{K}_{u2} \dots \underline{K}_{uN} = K_u \cdot e^{j\varphi_u}. \quad (2.21)$$

$$K_u = K_{u1} \cdot K_{u2} \dots K_{uN}, \quad (2.22)$$

$$\varphi_u = \varphi_{u1} + \varphi_{u2} + \dots + \varphi_{uN}. \quad (2.23)$$

(),

$$K_u = \sum_{n=1}^N K_{uN}. \quad (2.24)$$

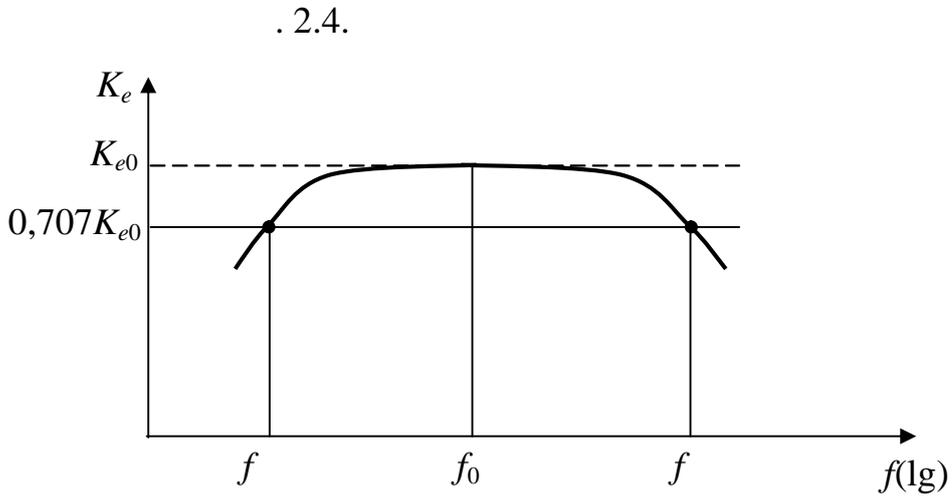
, ()

$$K_p = \sum_{n=1}^N K_{pN} \quad (2.25)$$

0. () ()

$$\eta = \frac{\dots}{0} \quad (2.26)$$

2.3.



2.4 -

, f -

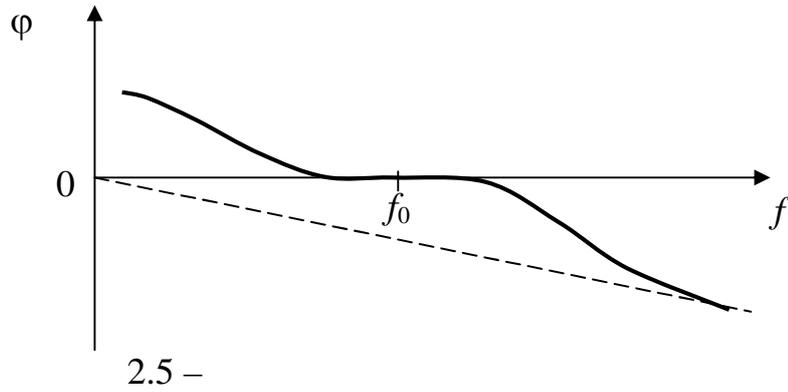
$$f \left(\lg \left(\frac{f}{f_0} \right) > 2 \right),$$

K_e

(2.4).

f_0

2.5



(),
 $u(t)$
 (

(2.27), $1(t) = E_0 \cdot 1(t)$, $1(t) -$

$$1(t) = \begin{cases} 1 & t \geq 0, \\ 0 & t < 0. \end{cases} \quad (2.27)$$

()

U_0 (2.6).

$h(t)$ (2.6):

$$h(t) = \frac{u(t)}{U_0}. \quad (2.28)$$

(, , ,),
 . :
 . :
 - (), ()
 () .

2.4.1.

.2.4 ,
 : $K_e = \text{const}$, . .

$$M = \frac{K_{e0}}{K_e(f)}, M = 20 \lg \frac{K_{e0}}{K_e(f)}, \quad (2.28)$$

K_{e0} - f_0 , (f) -
 f f $f_0 / \sqrt{2} = 0,707 f_0$

$$M = 1,41 \quad M = 20 \lg \sqrt{2} = 3 \quad (2.29)$$

$= 3$ $= 3$,
 f f (: $f \dots f$).

: $f = f - f$.

μ

$$\mu = 20 \lg \frac{K_e(f)}{K_{e0}} = 20 \lg \left(1 - \frac{\Delta K}{K_{e0}} \right) = -M \quad (2.30)$$

$$\Delta K = K_{e0} - K_e(f).$$

, . .

$$= 1 + 2 + \dots + N = \sum_{k=1}^N M_k . \quad (2.31)$$

2.4.2.

$$\varphi_e(\omega) = -t \omega = -2\pi t f . \quad (2.32)$$

2.5

$$t = \frac{d\varphi_e}{d\omega} = \frac{1}{2\pi} \cdot \frac{d\varphi_e}{df} , \quad (2.33)$$

φ_e

$$: t = \text{const.}$$

t ,

$$\Delta\varphi = \varphi_e - \varphi ,$$

$$\Delta t = t(f) - t_0 , \quad (2.34)$$

$t(f) -$

$f, t_0 -$

$f_0.$

$\pi,$

π

2.4.3.

()

:

(. 2.6,).

$h(t)$ 0,1 0,5 0,9, $t = t_2 - t_1$, $h(t)$ δ h_{\max}

(. 2.6,), δ

(. . .). δ

$\delta = h_{\max} - 1,$
 $\delta_{\%} = 100(h_{\max} - 1).$ (2.35)

Δ (. 2.7,)

- :
- 1) $\Delta = 1 - h()$;
 - 2) $\Delta = h_{\max} - h()$;
 - 3) $\Delta = h() - 1.$
- 1 Δ
- (2.36)

2.5.

...
 :
 ()
 : 2f, 3f, 4f

$$k = \frac{\sqrt{U_2^2 + U_3^2 + U_4^2 + \dots}}{U_1} \cdot f_0, \quad (2.37)$$

U_2, U_3, U_4, \dots ()
 ; U_1 - ()

$k < (0.2 \dots 0.5) \%$.

$|f_1 - 2f_2|, |2f_1 - f_2|, \dots,$ $|f_1 - f_2|,$
 k

$k \dots$

$$\frac{U(f_1)}{U(f_2)} = 4/1, \quad \begin{matrix} k \dots \\ f_1 = (50 \dots 100) \\ f_2 = (5 \dots 10) \end{matrix} \quad f_1$$

$$k \dots = \frac{U(f_2 - f_1)}{U(f_1)}, \quad (2.38)$$

$k \dots (0.5 \dots 1) \%$.

(()),

$$U_2 = 201g \frac{U_1}{U_2}, \quad (2.39)$$

$$U_3 = 201g \frac{U_1}{U_3}. \quad (2.40)$$

U_2 (60 ... 80) , U_3 (80 ... 100) .

2.6.

() .

r .

$1/f$.

$$K = P_{\text{out}} / P_{\text{in}} \quad (2.44)$$

$$K = 10 \lg K \quad (2.45)$$

(/)

$$\frac{U}{U_{\Sigma}} = \frac{\sqrt{P_{\text{in}} R}}{K_e \sqrt{4kTR \Delta f (K - 1)}} \quad (2.46)$$

$$\frac{U}{U_{\Sigma}} = 20 \lg (/) \quad (2.47)$$

\dot{U}

$$U = \frac{R}{R + R} \sqrt{4kTR \Delta f (K - 1)} \quad (2.48)$$

2.7.

()

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()

f_0 .

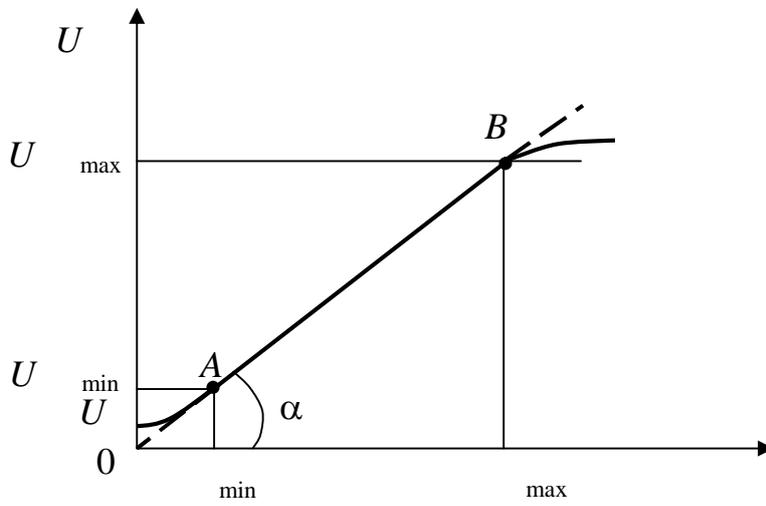
2.8.

2.8

α . α
 f_0

$$\operatorname{tg}\alpha = \frac{U}{f_0} = K_0.$$

2.8



2.8 -

2.8,

min ... max

max

k ()

U max

(/),

(K),

(t)

/

U_{\min}

U , -

/ .

min max

D , -

$$D = 20 \lg \frac{max}{min} \tag{2.49}$$

$D = (80...100)$, -

$-(40...60)$.

$E_{c \min}$ D $E_{c \max}$.

$$D_c = 20 \lg \frac{E_{c \max}}{E_{c \min}} \tag{2.50}$$

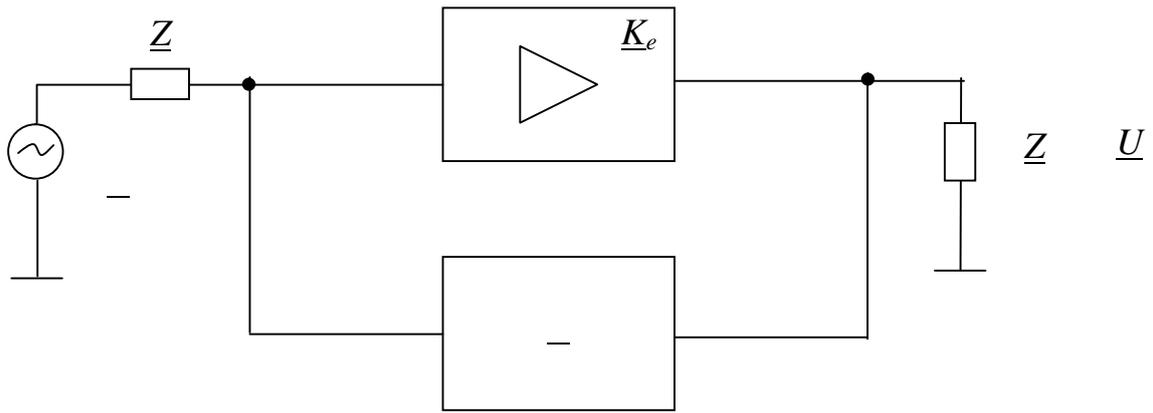
80 , -35 .

$D \geq D$,

, , .

3.

3.1.



3.1 –

. 3.1.

B.

. 3.1

$$- = \frac{U}{U}. \tag{3.1}$$

$$< 1.$$

(. 3.1);

(. 3.2,), (. 3.2,),
 . 3.2,

$$\underline{U} ,$$

. 3.2,

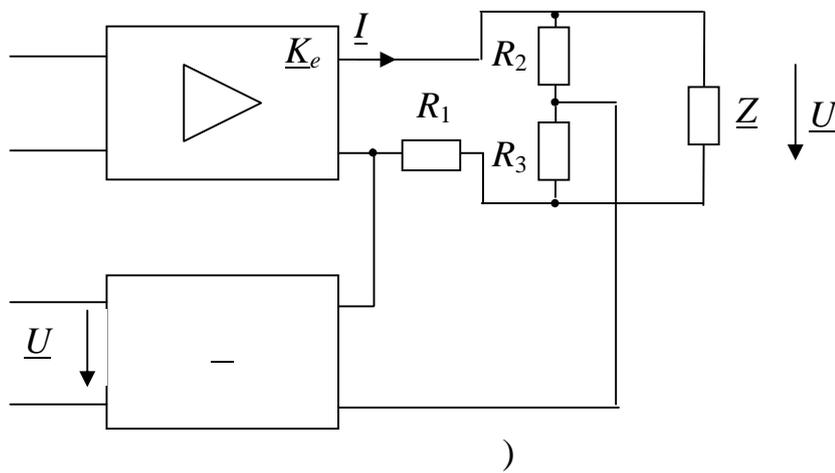
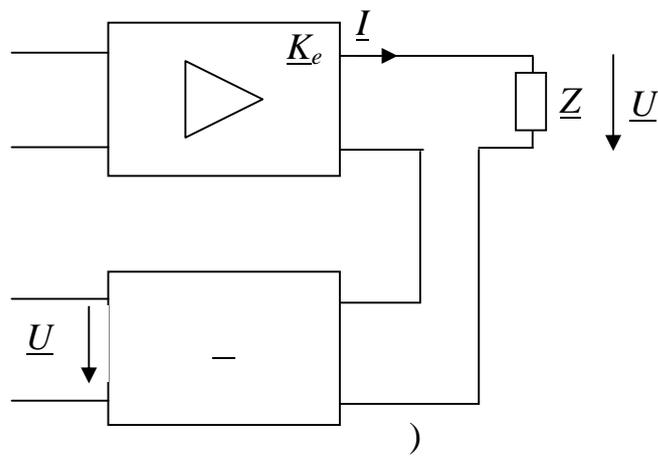
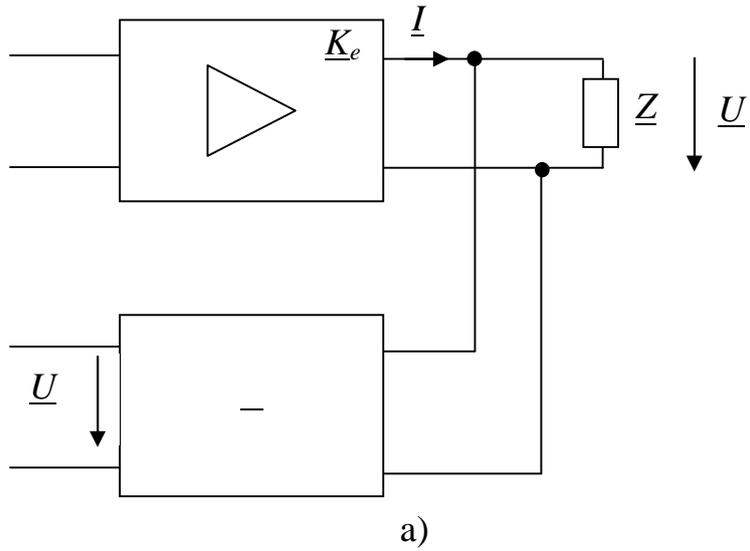
$$\underline{I} ,$$

R_1),

R_3).

$$\begin{matrix} Z =) . \\ Z = 0, U = 0 \end{matrix} \begin{matrix} : Z = 0) \\ Z = , U = 0 \\ U = 0 (\end{matrix} \begin{matrix} 0 \\) , \end{matrix}$$

$$I \quad 0 \quad U \quad 0 \quad Z = , I = 0 \quad \dot{U} = 0 (\quad), \quad Z = 0,$$



3.2 -
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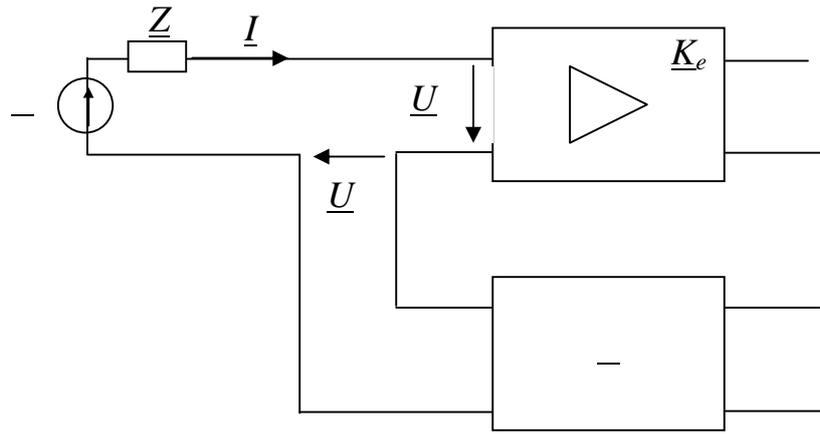
$$Z = ,$$

$$Z = 0$$

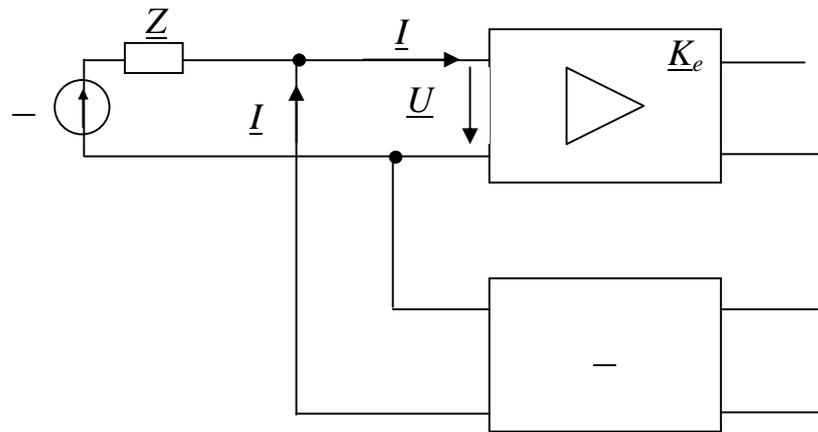
$$U = 0,$$

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(.3.3,).

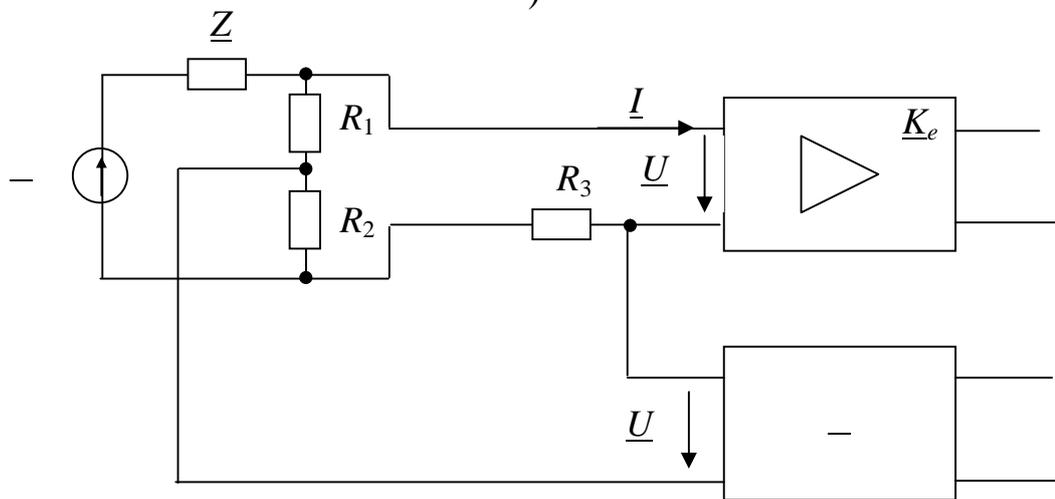
(.3.3,), -



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. 3.3,

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. 3.3,

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: $R_2 -$, $R_3 -$

: (Z = 0)
(Z =) .

Z =
Z = 0 - ,

Z =
Z = 0 - , Z = , Z = 0

3.2.

. 3.4, . 3.4, ,

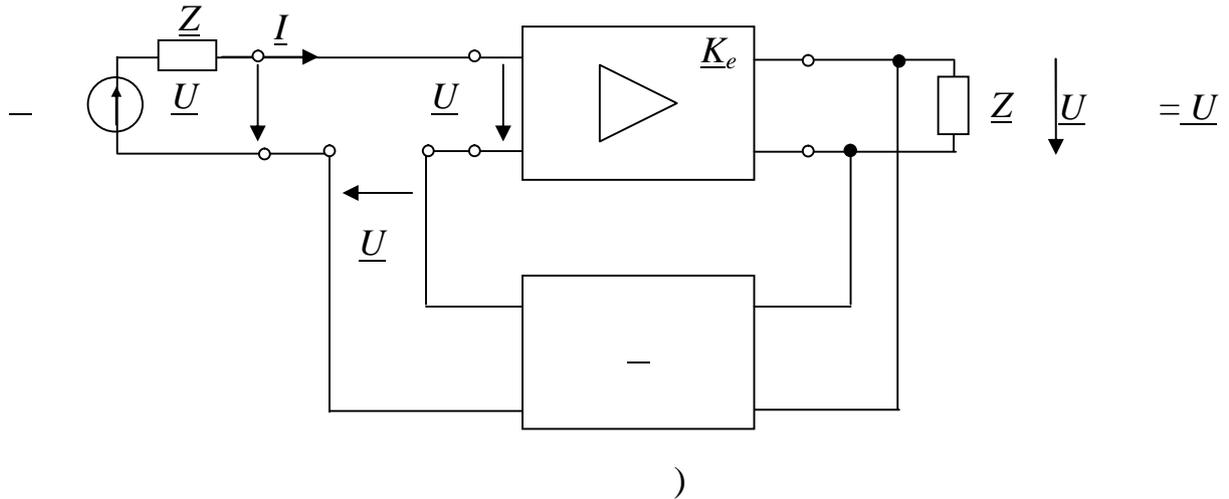
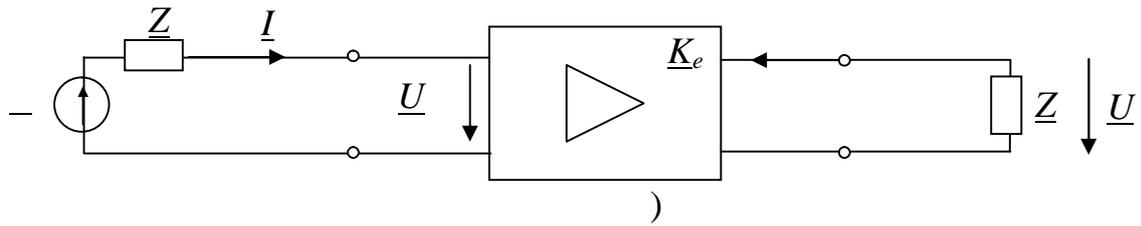
. 3.4, ,
($\underline{I} = \underline{I}$) ,

($\underline{U} \quad \underline{U}$)

($\underline{U} = \underline{U}$) .

$$\underline{K}_e = \frac{\underline{U}}{\underline{\quad}}, \tag{3.2}$$

$$\underline{K}_e = \frac{\underline{U}}{\underline{I}} \quad (3.3)$$



3.4 -

:)

;)

$$\underline{U} = \underline{U} , \quad \underline{K}_e = \frac{\underline{U}}{\underline{I}} \quad (3.4)$$

. 3.4,

$$\underline{U} = \underline{I} \cdot \underline{Z} + \underline{U} - \underline{U} ,$$

. 3.4,

$$\underline{U} = \underline{I} \cdot \underline{Z} + \underline{U} \quad (3.5)$$

$$\underline{U} = \underline{U} - \underline{U} , \quad (3.6)$$

$$\underline{U} = \frac{\underline{U}}{\underline{U} - \underline{U}} = \frac{\underline{U}}{1 - \underline{U}} \quad (3.7)$$

$$\underline{U} = \underline{U} \cdot \underline{U} = \underline{U} \cdot \underline{U} , \quad (3.2)$$

$$\frac{\underline{U}}{\underline{U}} = \frac{\underline{U}}{\underline{U}} \cdot \frac{\underline{U}}{\underline{U}} = \underline{U} \cdot \underline{U} , \quad (3.8)$$

$$\underline{U} = \frac{\underline{U}}{\underline{U}} \quad (3.1);$$

$$\underline{U} = \frac{\underline{U}}{\underline{U}} \quad (3.2)$$

$$(3.2) \quad (3.8) \quad (3.7),$$

$$\underline{U} = \frac{\underline{U}}{1 - \underline{B}} = \frac{\underline{U}}{\underline{\gamma}} \quad (3.9)$$

$$\underline{\gamma} = 1 - \underline{B}$$

$$\underline{\gamma} = |1 - \underline{B}|$$

$$K_e = \frac{e}{|1 - \underline{B} K_e|} = \frac{K_e}{\underline{\gamma}} \quad (3.10)$$

1) $\dots K < K, \gamma > 1,$

2) $\dots K > K, \gamma < 1,$

3) $\dots K = K, \gamma = 1,$

3.3.

$$\underline{BK}_e = B \cdot e^{j\varphi_B} \cdot K_e \cdot e^{j\varphi_e} = BK_e \cdot e^{j\varphi}, \quad (3.11)$$

$$\varphi = \varphi + \varphi,$$

$\underline{\gamma}$

$$e^{jx} = \cos x + j \sin x,$$

$$\gamma = |1 - \underline{B} \underline{K}_e| = |1 - \underline{B} \underline{K}_e \cdot \cos \varphi - j \underline{B} \underline{K}_e \sin \varphi| =$$

$$= \sqrt{(1 - BK_e \cos \varphi)^2 + (BK_e \sin \varphi)^2} = \sqrt{1 - 2BK_e \cos \varphi + (BK_e)^2}. \quad (3.12)$$

1) $\varphi = \pi$, . . . \underline{U} (3.12)

$$\gamma = 1 + BK_e, \quad (3.13)$$

: $\gamma > 1, K_e < K_e$, -

2) $\varphi = 0$, . . . \underline{U} (3.12)

$$\gamma = 1 - BK_e, \quad (3.14)$$

: $\gamma < 1, K_e > K_e$, -

$$(3.12), \quad \gamma = 1,$$

$$BK_e = 2 \cos \varphi. \quad (3.15)$$

$$(3.12) \quad BK_e > 2 \cos \varphi, \quad \gamma > 1,$$

$$; \quad BK_e < 2 \cos \varphi, \quad \gamma < 1,$$

1) $K_e < K_e, \gamma > 1, \varphi = \pi (\gamma = 1 + BK_e),$

();

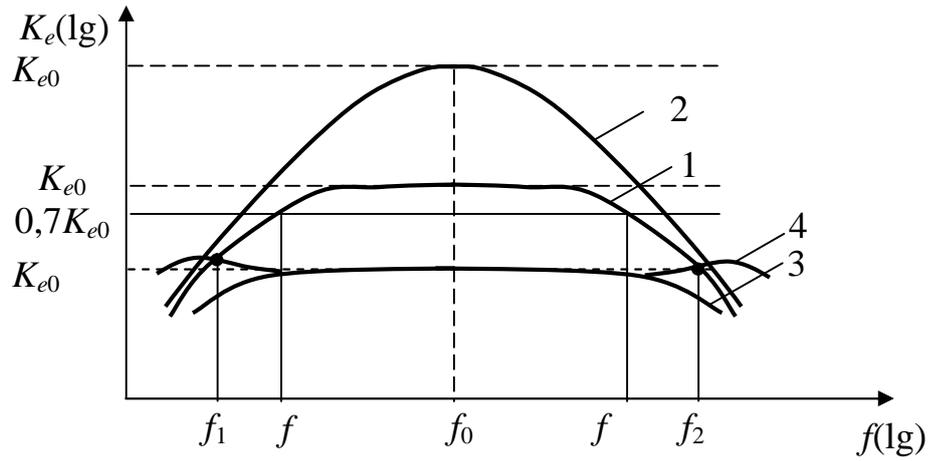
2) $K_e > K_e, \gamma < 1, \varphi = 0 (\gamma = 1 - BK_e),$

();

3) $K_e = K_e, \gamma = 1, BK_e = 2 \cos \varphi,$

$$\gamma \gg 1,$$

$$K_e = \frac{K_e}{1 + BK_e} \approx \frac{1}{B}. \quad (3.16)$$



1 - ; 2 - 3.5 - ; 3 - -
 ; 4 - -
 φ ; 4 - -
 φ

. 3.5, -

f_1 f_2 (, . 3.5 - -

4). -

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(0;) -

$(\pm\pi/2)$, $-(\pm\pi)$, $-\left(\pm\frac{3\pi}{2}\right)$

$\Delta\varphi = \pm\frac{\pi}{3}$, -

$\Delta\varphi = 3\Delta\varphi = \pm\pi$, -

(,). -

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f_0 , -

$(\Delta\varphi = 0)$, :

1) $\varphi = \pi$;

2) $\varphi = 0$.

f_0 : , -

f_0 , ,

(3.15).

(3.7) (3.5),

Z .

$$\gamma = 1 + BK_e = 1 + \frac{U_c}{U} \cdot \frac{U}{I Z + U} = 1 + \frac{U_c}{I Z + U} \quad (\varphi = \pi, f = f_0)$$

1) $Z = 0$ ()

$$\gamma(Z = 0) = \gamma(0) = 1 + \frac{U}{U} ; \quad (3.17)$$

2) $Z =$ ()

$$\gamma(Z =) = \gamma() = 1. \quad (3.18)$$

(3.17) (3.18)

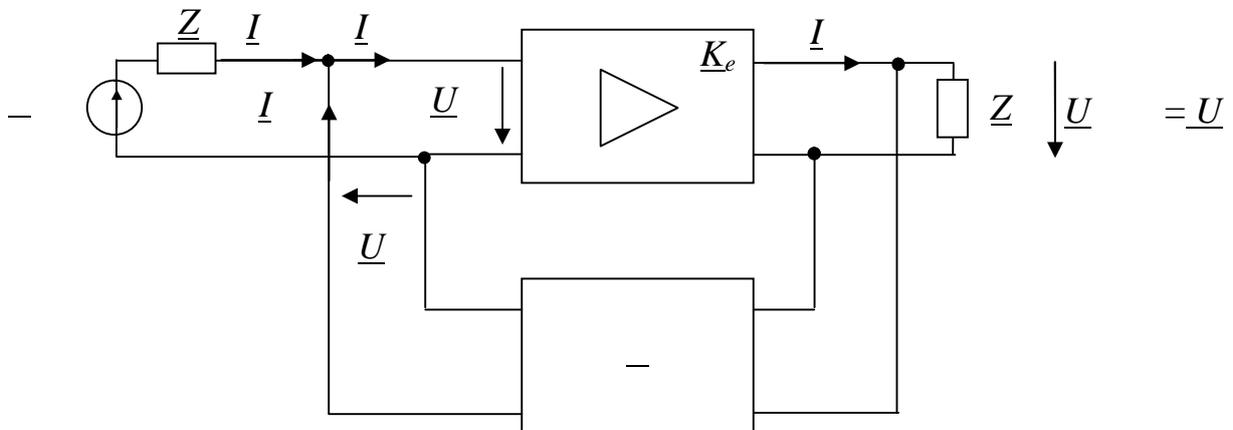
$(\gamma = 1)$ ()

3.4.

. 3.6.

. 3.6, $(\underline{U} = \underline{U})$,

\underline{I} \underline{I}



3.6 -

$$\underline{U} = \underline{U}, \quad (3.4)$$

$$\underline{K}_e = \frac{\underline{U}}{-}$$

$$\underline{I} = \underline{I} - \underline{I} \cdot \underline{R} + \underline{U}, \quad (3.19)$$

$$\underline{I} = \underline{I} - \underline{I}. \quad (3.20)$$

$$\underline{E} = \underline{I} Z + \underline{U} - \underline{I} Z = \underline{E} - \underline{I} Z. \quad (3.21)$$

$$\underline{U} = \underline{I} Z, \quad (3.22)$$

$$\underline{E} = \underline{E} - \underline{U}, \quad (3.6), \quad (3.23)$$

$$- = \frac{-}{1 - \underline{B}} = \frac{-}{\underline{\gamma}},$$

(3.9),

$$\underline{B} = \frac{\underline{I} Z}{\underline{U}}. \quad (3.24)$$

$$\underline{Z} = \underline{I} \quad (3.9),$$

\underline{Z} .

($\varphi = \pi, f = f_0$)

$$\gamma = 1 + BK = 1 + \frac{\underline{I} Z}{\underline{U}} \cdot \frac{\underline{U}}{\underline{I} Z + \underline{U}}$$

:

$$1) \underline{Z} = 0 \quad \gamma(\underline{Z} = 0) = \gamma(0) = 1; \quad (3.24)$$

$$2) \underline{Z} = \quad \gamma(\underline{Z} =) = \gamma() = 1 + \frac{\underline{I}}{\underline{I}}. \quad (3.25)$$

(3.24) (3.25)

($\gamma = 1$) (

3.5.

. 3.4, .

$$\underline{Z} = \frac{U}{I}, \tag{3.26}$$

$$\underline{Z} = \frac{U}{I}. \tag{3.27}$$

($\underline{I} = \underline{I}$),

$$\underline{U} = \underline{U} - \underline{U}, \tag{3.28}$$

$$\underline{Z} = \frac{\underline{U} - \underline{U}}{\underline{I}} = \frac{\underline{U}}{\underline{I}} \left(1 - \frac{\underline{U}}{\underline{U}} \right). \tag{3.29}$$

$$(3.17) \quad \underline{\gamma}(0) = 1 - \frac{\underline{U}}{\underline{U}},$$

$$(3.18) \quad \underline{\gamma}(\infty) = 1.$$

(3.29)

$$\underline{Z} = \underline{Z} \frac{\underline{\gamma}(Z = 0)}{\underline{\gamma}(Z = \infty)} = \underline{Z} \frac{\underline{\gamma}(0)}{\underline{\gamma}(\infty)}. \tag{3.30}$$

(3.29).

$$\underline{\gamma}(0) = \left(1 + \frac{U}{U} \right) > 1, \quad \underline{\gamma}(\infty) = 1,$$

, $\underline{Z} > \underline{Z}$.

($\varphi = 0$).

$$1) \quad U < U, \quad \underline{\gamma}(0) = \left(1 - \frac{U}{U} \right) < 1, \quad \underline{\gamma}(\infty) = 1,$$

$$\underline{Z} < \underline{Z},$$

2) $U = U$, $\gamma(0) = 0, \gamma(\infty) = 1, Z = 0$,

3) $U > U$, $\gamma(0) = \left(1 - \frac{U}{U}\right) < 0$,

$\gamma(\infty) = 1$.

$Z < 0$.

. 3.6.

(3.27).

$\underline{U} = \underline{U}$,

$\underline{I} = \underline{I} - \underline{I}$. (3.31)

$\underline{Z} = \frac{\underline{U}}{\underline{I} - \underline{I}} = \frac{\underline{U}}{\underline{I}} \cdot \frac{1}{1 - \frac{\underline{I}}{\underline{I}}}$. (3.32)

(3.25) $\gamma(\infty) = 1 - \frac{\underline{I}}{\underline{I}}$,

(3.24) $\gamma(0) = 1$.

(3.32)

$\underline{Z} = \underline{Z} \frac{\gamma(0)}{\gamma(\infty)}$.

(3.30),

$\gamma(\infty) = \left(1 + \frac{\underline{I}}{\underline{I}}\right) > 1, \gamma(0) = 1, Z < Z$.

($\varphi = 0$).

$$1) \quad I < I, \quad \gamma(\infty) = \left(1 - \frac{I}{I}\right) < 1, \quad \gamma(0) = 1, \quad Z > Z, \quad -$$

$$2) \quad I = I, \quad \gamma(\infty) = 0, \quad \gamma(0) = 1, \quad Z = , \quad -$$

$$(\quad , \quad).$$

$$3) \quad I > I, \quad \gamma(\infty) = \left(1 - \frac{I}{I}\right) < 0, \quad , \quad \gamma(0) = 1.$$

$$(Z < 0, Y < 0). \quad ,$$

(3.30)

$$\frac{\gamma(0)}{\gamma(\infty)}, \quad \gamma(0)$$

$$Z = 0,$$

$$; \gamma(\infty) -$$

$$Z = ,$$

3.6.

(2.4)

$$\underline{Z} = \frac{U}{I}.$$

$$\underline{Z} = \frac{\underline{U}}{\underline{I}}. \tag{3.33}$$

$$\begin{aligned} \gamma(\underline{Z} = \infty) &= \gamma(\infty), \\ \underline{Z} = 0, & \\ \gamma(\underline{Z} = 0) &= \gamma(0). \end{aligned}$$

(),

$$\underline{U}_{xx} = \frac{\underline{U}}{\gamma(\infty)}. \tag{3.34}$$

),

$$\underline{I} = \frac{\underline{I}}{\gamma(0)}. \tag{3.35}$$

(3.34) (3.35)

(3.33),

$$\underline{Z} = \frac{\underline{U}_{xx}}{\gamma(\infty)} \cdot \frac{\gamma(0)}{\underline{I}} = \underline{Z} \cdot \frac{\gamma(0)}{\gamma(\infty)}. \tag{3.36}$$

,

,

(3.30)

(3.30)

(3.36)

$$\underline{Z} = \underline{Z} \cdot \frac{\gamma(0)}{\gamma(\infty)}, \tag{3.37}$$

$\underline{Z} -$

(

)

; $\underline{Z} -$

,

; $\gamma(0) \gamma(\infty) -$

(3.37)

(3.2,)

($\underline{Z} = \infty$),

$\underline{U} = 0,$

: $\gamma(0) = 1.$

:

$\gamma(\infty) > 1, \gamma(0) = 1$

1)

$\underline{Z} < \underline{Z}.$

2) $Z > Z_0$, $\gamma(\infty) < 1, \gamma(0) = 1$

(3.2,)
 $(Z = 0), \underline{I} = 0,$
 $\gamma(\infty) = 1.$

1. $Z > Z_0$, $\gamma(0) > 1, \gamma(\infty) = 1$

2. $Z < Z_0$, $\gamma(0) < 1, \gamma(\infty) = 1$

(3.2,) (3.36)

$Z = 0,$ $\gamma(0)/\gamma(\infty), \gamma(0) -$
 $\gamma(\infty) - Z = ,$

3.7.

(3.9)

$$\underline{K}_e = K_e \cdot e^{j\varphi_e} ,$$

(3.9)

$$\underline{K}_e \cdot e^{j\varphi_e} = \frac{K_e \cdot e^{j\varphi_e}}{1 - B \cdot e^{j\varphi_B} \cdot K_e \cdot e^{j\varphi_e}}, \quad (3.38)$$

$$\underline{K}_e = K_e \cdot e^{j\varphi_e} = K_e (\cos \varphi_e + j \sin \varphi_e),$$

$$\underline{B} = B \cdot e^{j\varphi_B} = B (\cos \varphi_B + j \sin \varphi_B). \quad (3.39)$$

$$(3.39) \quad (3.38),$$

$$K_e = \frac{K_e}{\sqrt{1 - 2BK_e \cos(\varphi_e + \varphi_B) + (BK_e)^2}}, \quad (3.40)$$

$$\varphi_e = \operatorname{arctg} \frac{\sin \varphi_e + BK_e \sin \varphi_B}{\cos \varphi_e - BK_e \cos \varphi_B}. \quad (3.41)$$

$$(3.40) \quad (3.41)$$

$$(\varphi_e = \varphi_0 = \text{const});$$

$$f = f_0;$$

 f_0

$$\varphi_0 = \varphi_{e_0} + \varphi_{B_0} = \pi.$$

 f_0

$$\varphi_{e_0} = 0,$$

$$\varphi_{B_0} = \pi,$$

$$\varphi = 0.$$

$$\varphi = \pi = \text{const}, \quad \varphi_e = -\varphi_0,$$

$$(3.40) \quad (3.41)$$

$$K_e = \frac{K_e}{\sqrt{1 + 2B_0K_e \cos \varphi_e + (B_0K_e)^2}}, \quad (3.42)$$

$$\varphi_e = \operatorname{arctg} \frac{\sin \varphi_e}{\cos \varphi_e + B_0K_e}. \quad (3.43)$$

$$(3.42) \quad (3.43)$$

$$K_e = \frac{K_e}{1 + B_0K_e}, \quad (3.44)$$

$$\varphi_e = \frac{\varphi_e}{1 + B_0K_e}. \quad (3.45)$$

$$(3.44) \quad (3.45)$$

f_0

$$q = \frac{\Delta K_{e0}}{K_{e0}}. \quad (3.51)$$

$$q = \frac{dK_{e0}}{K_{e0}}. \quad (3.52)$$

$$q = \frac{dK_{e0}}{K_{e0}}, \quad (3.53)$$

$$K_{e0} = \frac{K_{e0}}{1 + BK_{e0}}. \quad (3.54)$$

$$dK_{e0} = \frac{dK_{e0}}{dK_{e0}} \cdot dK_{e0} = \frac{1 + BK_{e0} - BK_{e0}}{(1 + BK_{e0})^2} dK_{e0}. \quad (3.55)$$

(3.53), (3.54), (3.55)

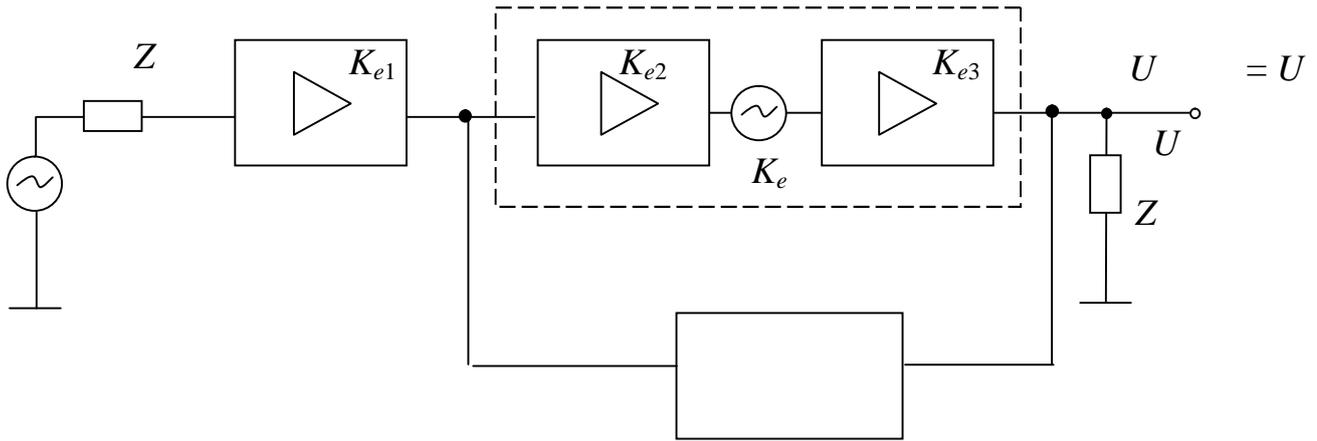
$$q = \frac{dK_{e0}}{(1 + BK_{e0})^2} \cdot \frac{1 + BK_{e0}}{K_{e0}} = \frac{q}{1 + BK_{e0}} = \frac{q}{\gamma}. \quad (3.56)$$

(3.56) , $q < q$, $\gamma > 1$,

γ , , $\gamma < 1$, , $q > q$,

3.9.

(. 2.8).



3.7 -

$$U = U \cdot \gamma \cdot K_{e1} \cdot K_{e2} \cdot K_e \cdot K_{e3} \cdot Z \quad (3.57)$$

($\gamma = 1$),

$$U = U \cdot \gamma \frac{K_{e2xx} \cdot K_{e3}}{1 + B \cdot K_{e2xx} \cdot K_{e3}} E_c = K_e \cdot E_c \quad (3.58)$$

$U = \dots$

$$U = \frac{E \cdot K_{e3}}{1 + B \cdot K_{e2xx} \cdot K_{e2}} = \frac{U}{1 + B \cdot K_e} = \frac{U}{\gamma}. \quad (3.59)$$

$$(\gamma > 1).$$

$$\left(\frac{U}{U} \right) = \frac{U}{U} = \frac{U}{U} \cdot \gamma = \left(\frac{U}{U} \right) \cdot \gamma, \quad (3.60)$$

$$\left(\frac{U}{U} \right) = \frac{U}{U} = \frac{U}{U} \cdot \gamma = \left(\frac{U}{U} \right) \cdot \gamma, \quad \gamma > 1 -$$

$$(3.58) \quad (3.59).$$

$$U_2 = \frac{U}{\gamma}, \quad U_3 = \frac{U}{\gamma}, \dots \quad (3.61)$$

$$U_1 = \gamma \left(\dots \right) \quad (3.7)$$

$$U_1 = U_1. \quad (3.62)$$

$$k = \frac{\sqrt{U_2^2 + U_3^2 + U_4^2 + \dots}}{U_1} \approx \frac{k}{1 + BK_{e0}} = \frac{k}{\gamma}. \quad (3.63)$$

4.

(3.5).

(3.10)

$$= \frac{1}{|1 - BK_e|}$$

$$|1 - BK_e| = 0, \tag{4.1}$$

($= \infty$).

(4.1),

(2.8),

(4.1).

(4.1)

$$BK_e = 1, BK_e \cdot e^{j\varphi} = 1 \cdot e^{j0, 2\pi, 4\pi, \dots}$$

$$1) \quad = 1 - \quad ; \tag{4.2}$$

$$2) \quad \varphi = 0, 2\pi, 4\pi, \dots - \tag{4.3}$$

: (4.2) (4.3).

(4.2) (4.3)

— () , —
 . , :
 , .
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 1) ;
 2) $f \rightarrow \infty$: $(\infty) = 0$.

$BK_e \cdot e^{j\varphi}$, $\frac{0}{\infty} = 1$ (1; 0)

∞ ((1; 0), $-\infty$ $+\infty$) 0
 (1; 0),

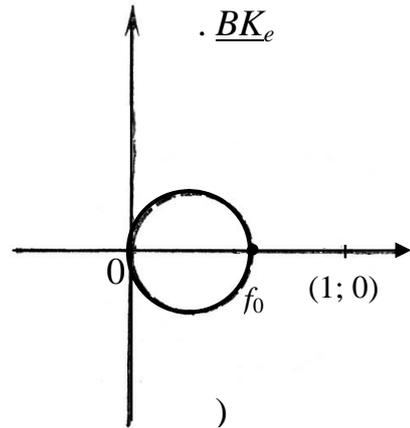
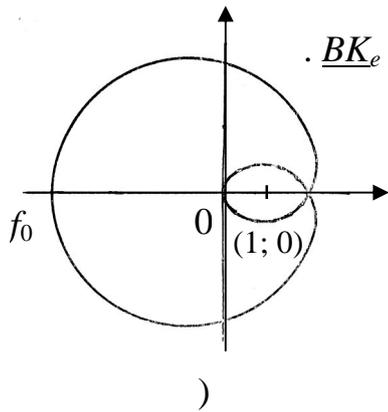
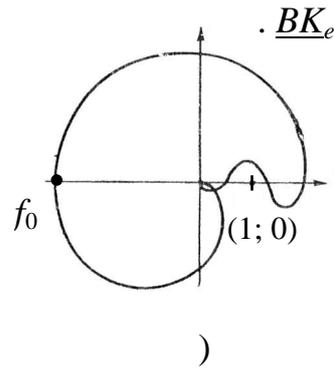
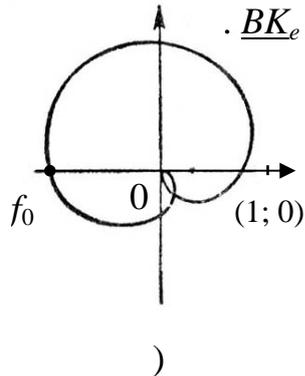
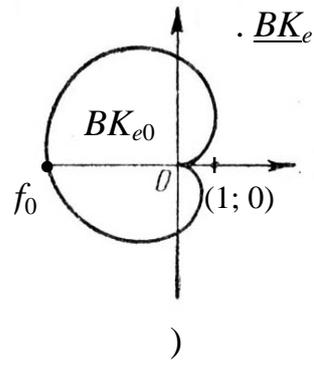
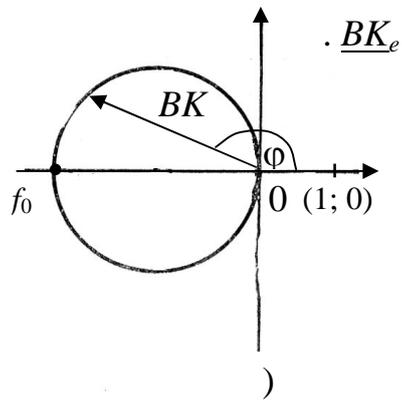
.4.1 , $|BK_{e0}| \gg 1$.

4.1, , , , , 4.1, — f_0

, . 4.1, (1; 0).

(. 4.1,) $\gamma = 1 + 0$,
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 . 4.1, .



4.1 -

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$$\gamma = 1 + \dots$$

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 $\Delta\varphi < \pm\pi.$
 $(1; 0)$ — . ,

$$> 1, \Delta\varphi < \pm\pi \tag{4.4}$$

(4.4)

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$$\gamma_{\max} = 1 + BK_{e0}$$

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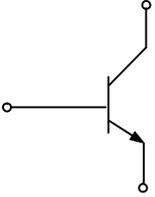
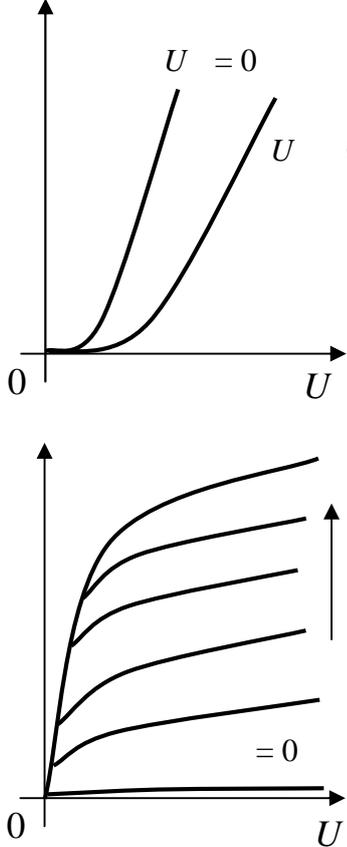
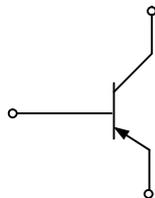
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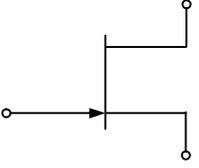
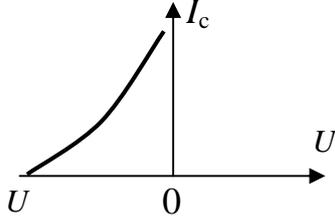
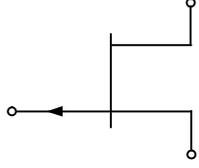
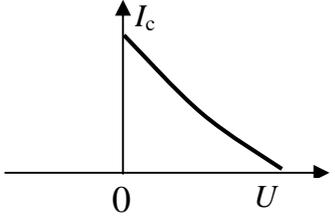
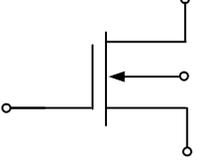
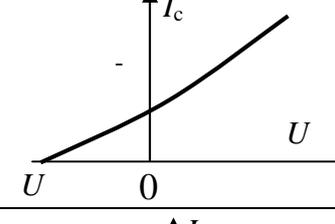
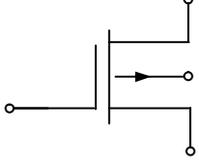
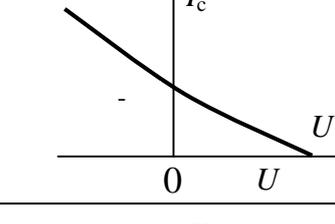
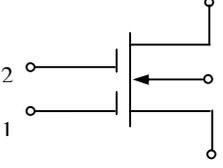
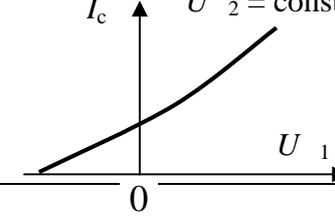
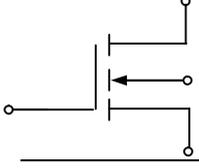
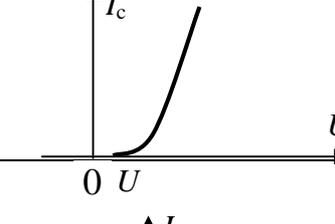
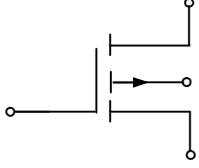
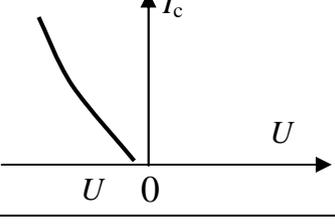
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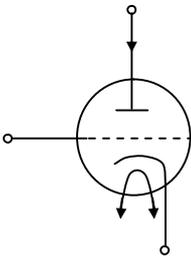
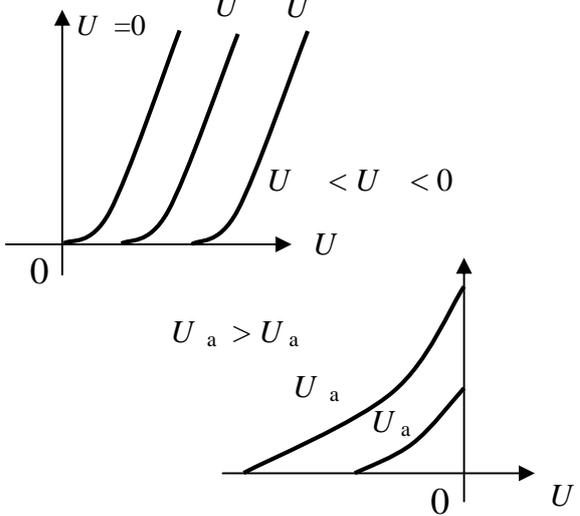
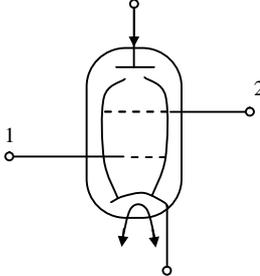
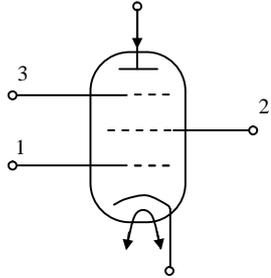
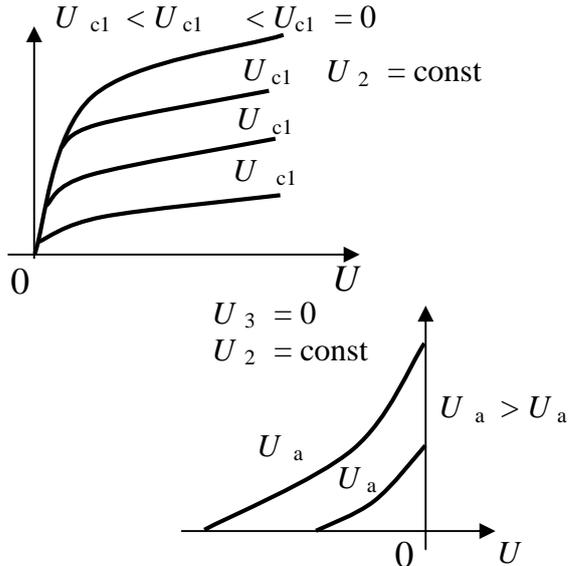
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1	<i>n-p-n</i>		
2	<i>p-n-p</i>		

5.2 -

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1	$p-n-$ $n-$	-	 
2	$p-n-$	-	 
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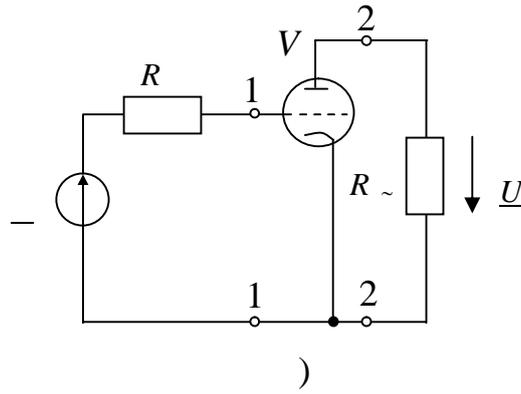
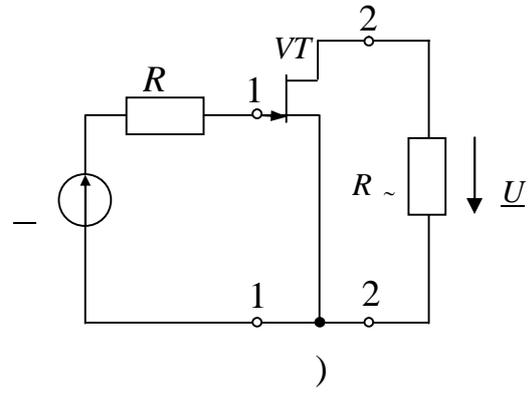
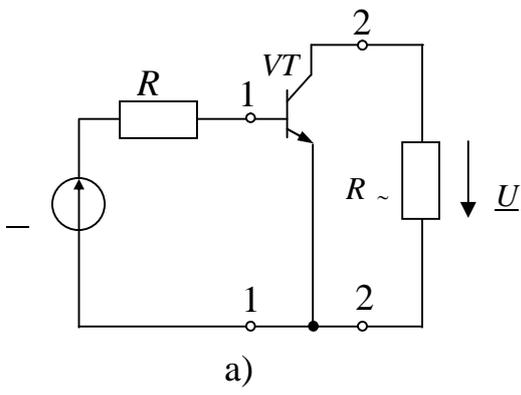
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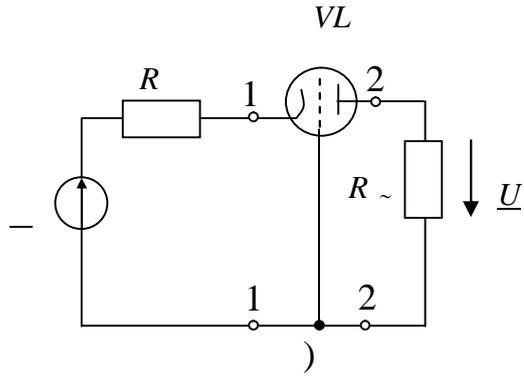
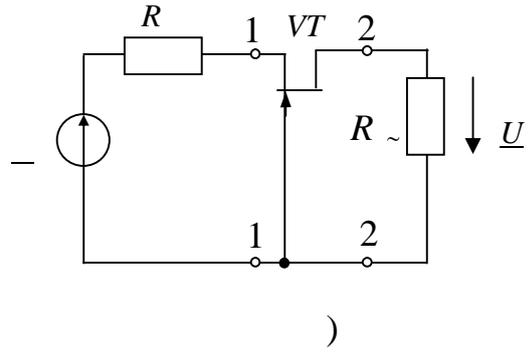
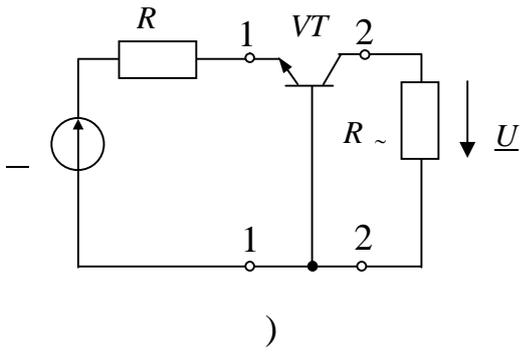


5.1 - ;) ;) :)

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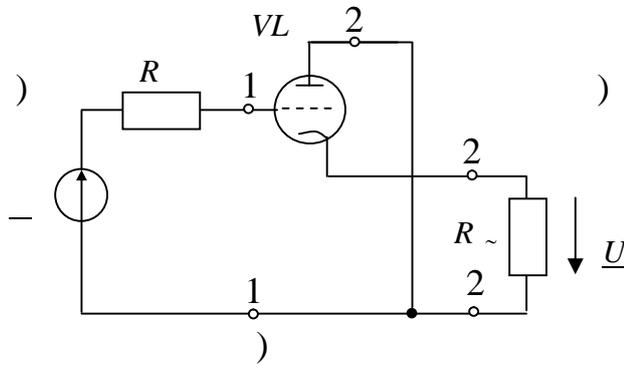
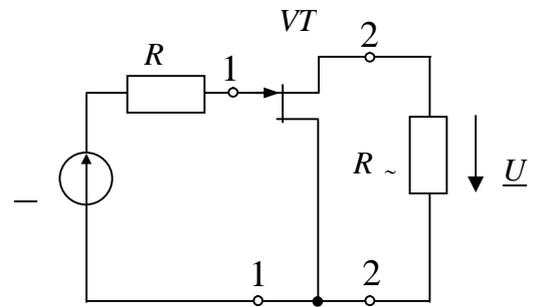
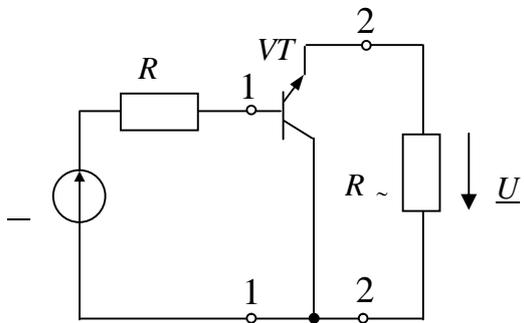
5.2 -

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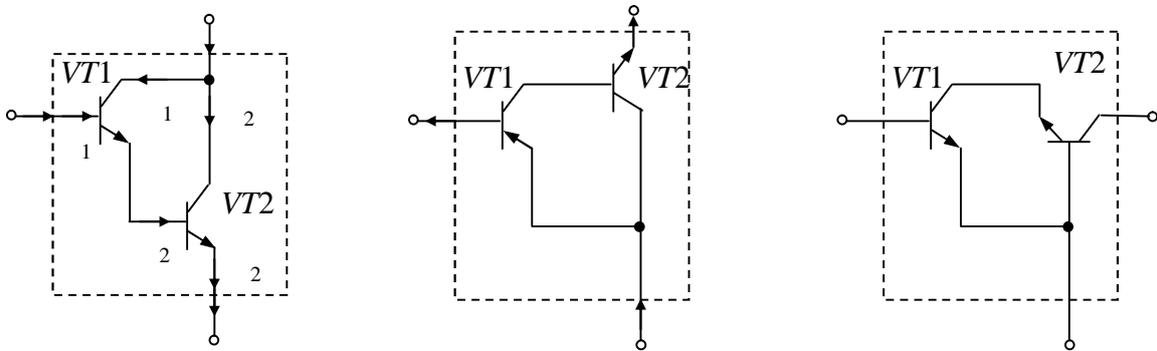
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5.2.

. 5.4 () .



5.4 -

:) *n-p-n* - ;) *p-n-p* - ;

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. 5.4, ,

$$h_{21} = \frac{I}{I} = \frac{I_1 + I_2}{I_1} = \frac{h_{21\ 1} \cdot I_1 + h_{21\ 2} \cdot I_2}{I_1},$$

$$I_2 = I_1 = (1 + h_{21\ 1})I_1,$$

$$h_{21} = \frac{(h_{21\ 1} + h_{21\ 2}(1 + h_{21\ 1})) \cdot I_1}{I_1} = h_{21\ 1} + h_{21\ 2} + h_{21\ 1} \cdot h_{21\ 2}.$$

$$h_{21\ 1} \quad h_{21\ 2} \quad (50 \dots 100),$$

$$h_{21} \approx h_{21\ 1} \cdot h_{21\ 2} \approx (2,5 \dots 10) \cdot 10^3,$$

VT1 VT2

$$: I_1 = h_{21\ 1} \cdot I_1, I_2 = h_{21\ 2} \cdot (1 + h_{21\ 1}) \cdot I_1, \dots$$

$$I_2 \gg I_1.$$

$$I_2,$$

VT2

$$I_1$$

. 5.4,

p-n-p

: VT1 - *p-n-p*

VT2 - *n-p-n*

$$h_{21} = \frac{I}{I} = \frac{I_2}{I_1} = \frac{(1 + h_{21\ 2})I_1}{I_1} = \frac{(1 + h_{21\ 2})h_{21\ 2}I_1}{I_1} =$$

$$= h_{21\ 1} + h_{21\ 2} \cdot h_{21\ 2} \approx h_{21\ 2} \cdot h_{21\ 2}.$$

. 5.4,

$$h_{21} \approx h_{21\ 2} \cdot h_{21\ 2}. \tag{5.1}$$

$$h_{21} = \frac{I_2}{I_1} = \frac{I_2 h_{21\ 2}}{I_1},$$

$$h_{21\ 2} = \frac{h_{21\ 2}}{1 + h_{21\ 2}},$$

$$I_2 = I_1 = h_{21\ 1} \cdot I_1,$$

$$h_{21} = h_{21\ 1} \frac{h_{21\ 2}}{1 + h_{21\ 2}} \approx h_{21\ 1}, \tag{5.2}$$

$$h_{21\ 2} \gg 1.$$

VT1.

VT1.

VT1

VT1,

VT2

5.3.

$$i = i R + u \quad () \quad : i (),$$

$$()$$

$$i (), \quad = i R + u .$$

$$i = 0, \quad = u ,$$

$$i (u), \quad i (u) .$$

$I_0 > I_m$

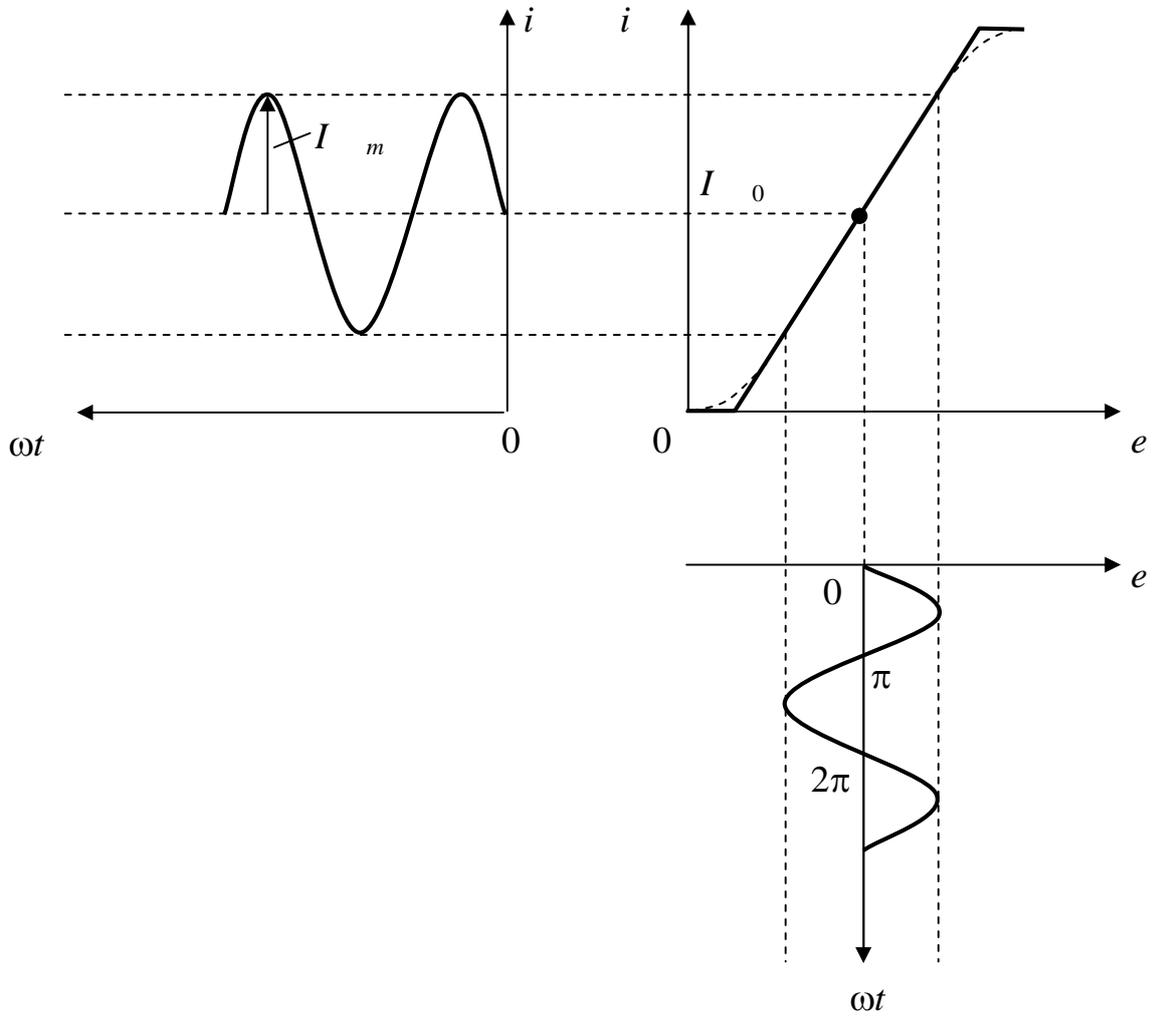
.5.5,

$$I_0 > I_m \quad I \approx I_0,$$

(.5.5).

25%,

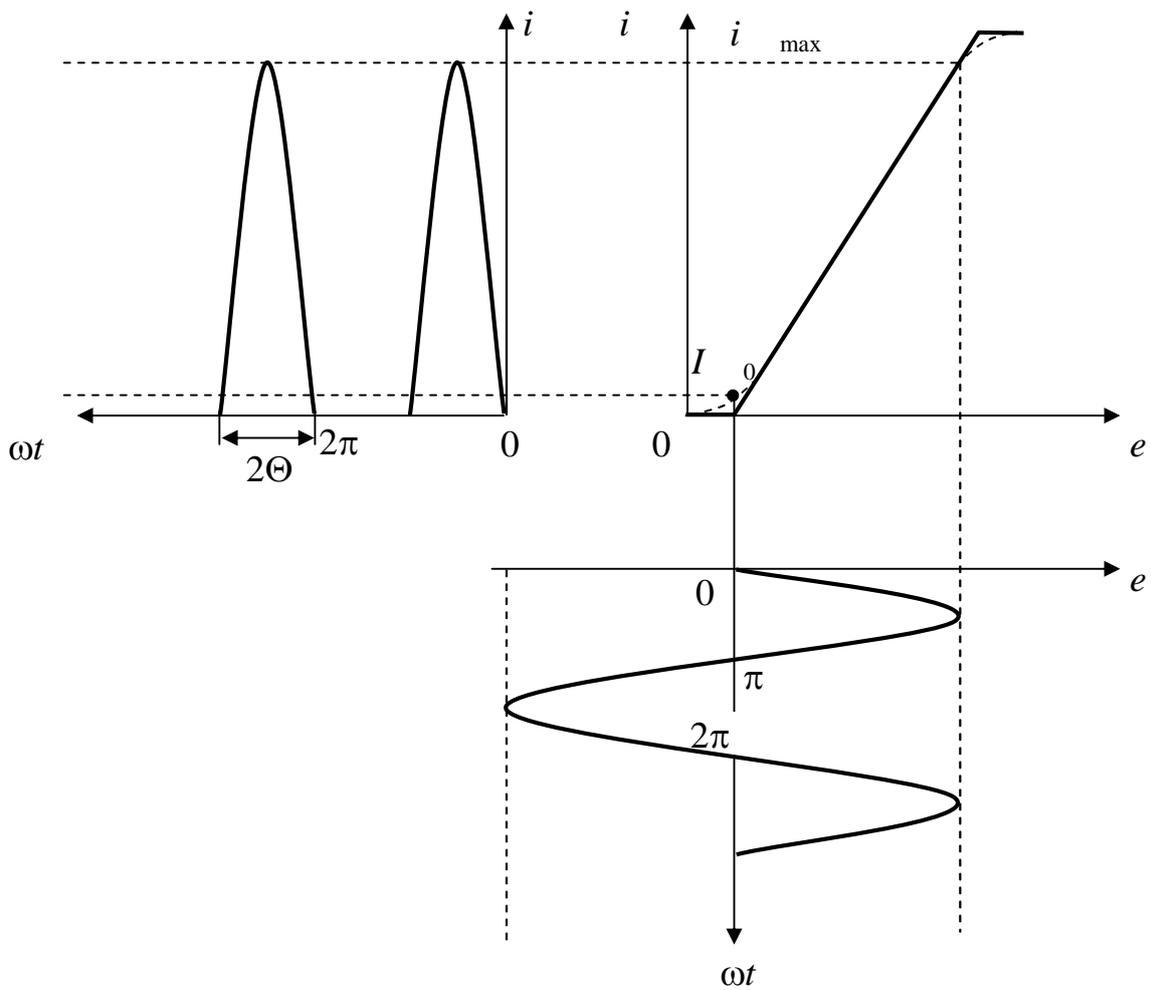
- 50%,



5.5 -

I_0

. 5.6,



5.6 -

$$\Theta = \frac{\pi}{2},$$

$$\Theta > \frac{\pi}{2}.$$

$$\Theta = \pi,$$

$$i = i_{\max} \left(\frac{1}{\pi} + \frac{1}{2} \cos \omega t + \frac{2}{3\pi} \cos 2\omega t - \frac{2}{15\pi} \cos 4\omega t + \dots \right), \quad (5.3)$$

$i_{\max} -$

(5.3)

()

$$I = \frac{1}{\pi} i_{\max}, \quad (5.4)$$

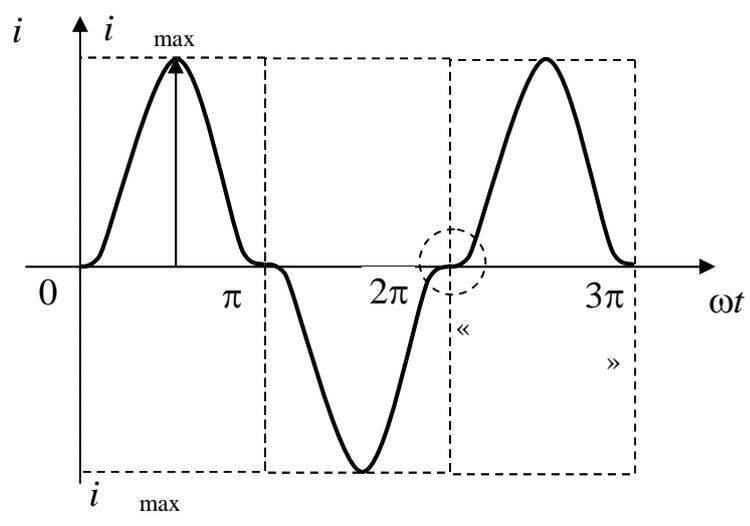
(5.3),

1. $I = 0$.

2. $\frac{I_{1m}}{I} = \frac{\pi}{2}$ $\pi/2 = 1,57$

$\eta = \frac{1}{2} \frac{I_{1m} \cdot U_{1m}}{I \cdot E} = \frac{\pi}{4} \frac{U_{1m}}{E} \approx 0,785$ ($U_{1m} \approx$),
 $-\eta = 0,6$.

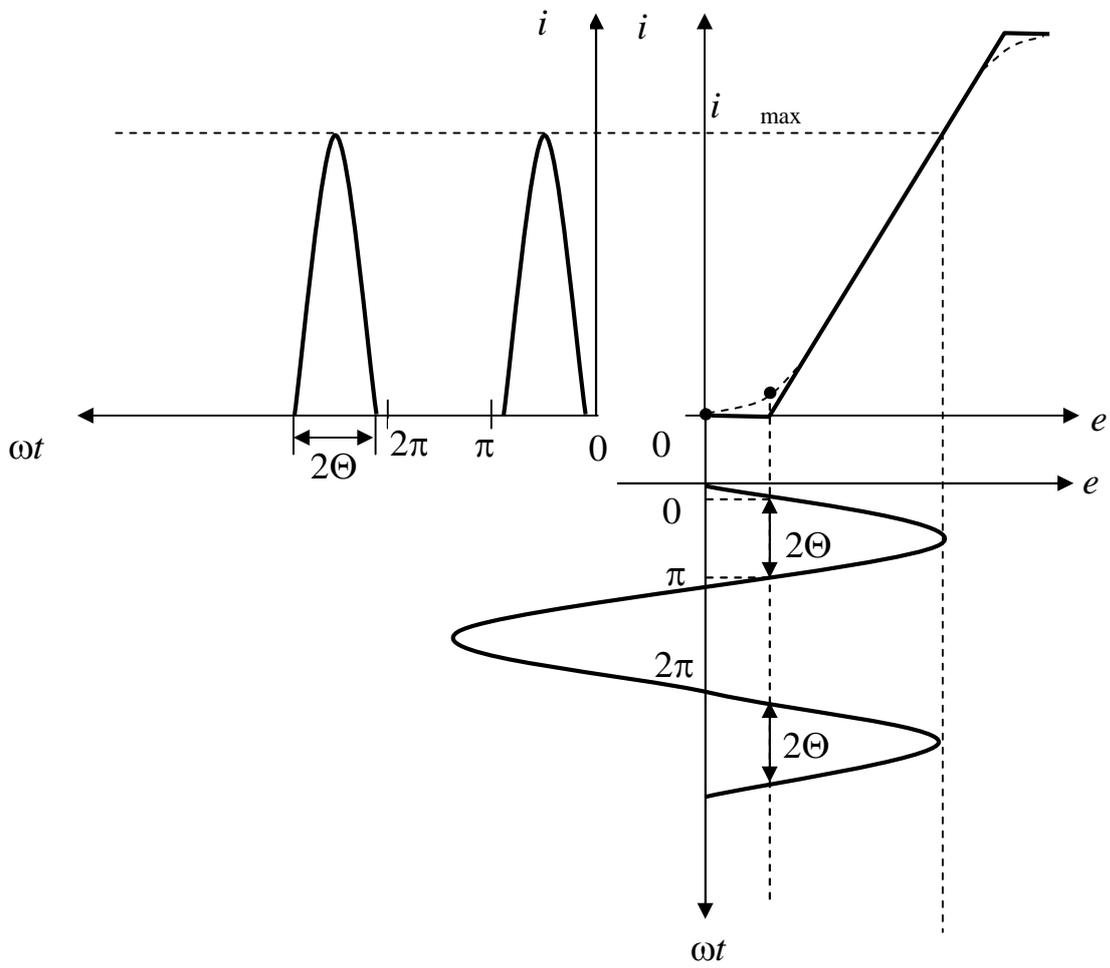
» (5.7).



5.7 -

()

« »
 I_0 ,
 $\pi/2$,
 (5.8).



5.8 -

D.

D.

D

($i = i_{min}$),

$(u \approx \dots)$.

$(u \approx u_{\min})$.

D

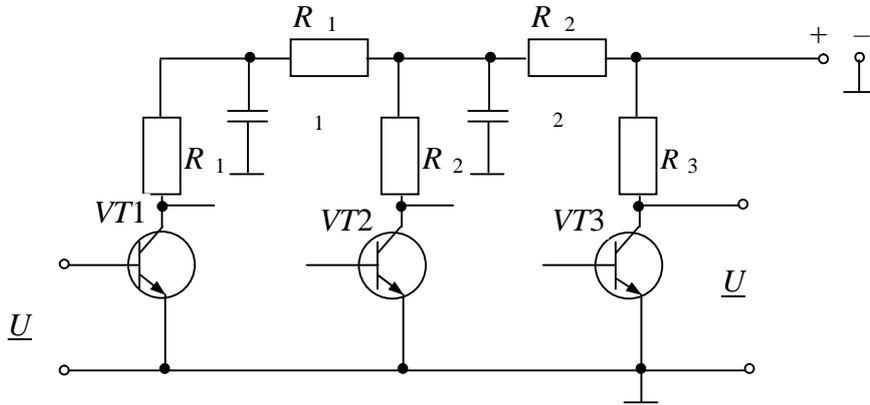
5.4.

. 5.1...5.3,

. 5.5, 5.6, 5.8.

5.4.1.

(. 5.9).



5.9 -

. 5.9.

${}_1R_1, {}_2R_2,$

5.6).

5.10

(5.5),

(

)

$$I_0 = I_{01} + I_{02}$$

$$I_0 \gg I_{01}$$

I_{01} ,

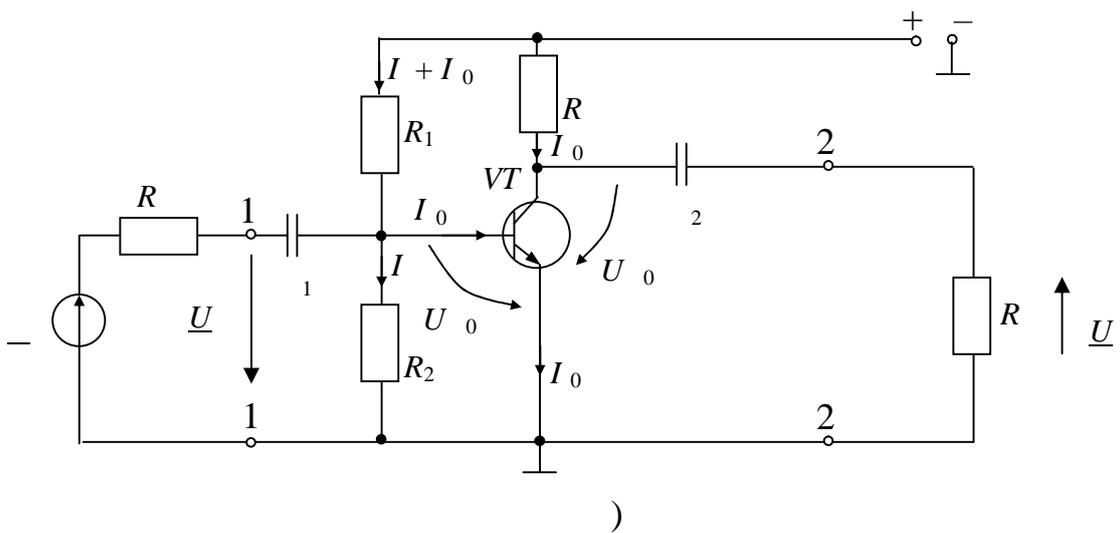
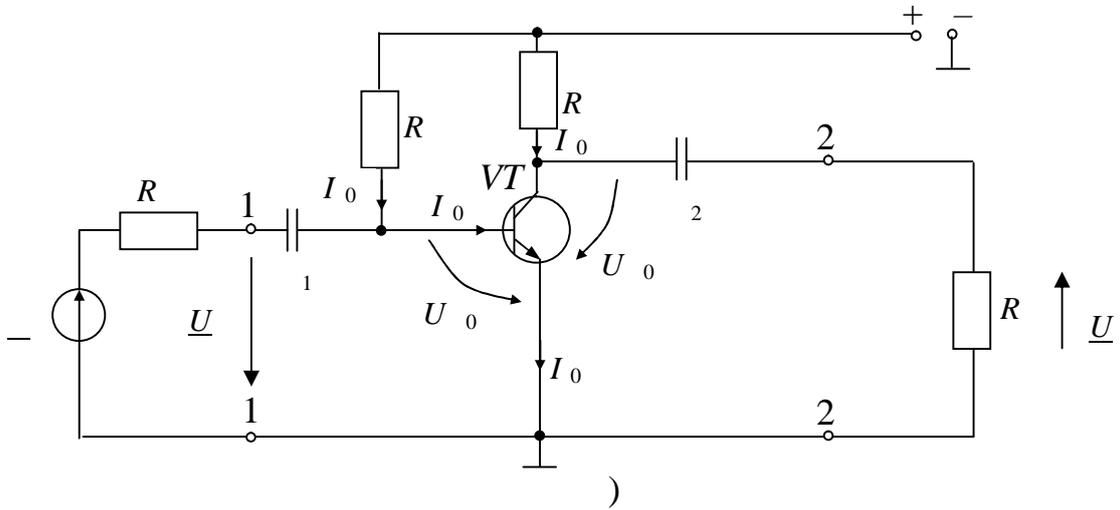
I_{02}

$$I_0 \approx I_{01}$$

$$U_0 \approx U_{01}$$

(, ,).

1 2



5.10 -

:)

;)

(. 5.10,).

$$R, \quad I_0 \quad - \quad (\quad , \quad). \quad -$$

$$= I_0 R + U_0. \quad (5.6)$$

$$(5.6) \quad I_0 = \frac{-U_0}{R} \approx \frac{-U_0}{R}, \quad (5.7)$$

$$(5.7) \quad , \quad \gg U_0. \quad I_0$$

$$R, \quad I_0 \quad U_0$$

$$(\quad), \quad R$$

$$R$$

$$R = \frac{U_0}{I_0}. \quad (5.8)$$

$$R, \quad - \quad .$$

$$= I_0 R + U_0. \quad (5.9)$$

$$I_0 \quad U_0 \quad , \quad R$$

$$R = \frac{-U_0}{I_0}. \quad (5.10)$$

(. 5.10,).

$$. 5.10, \quad U_0 \quad -$$

$$R_1 \quad R_2 \quad . \quad I \quad -$$

$$R_1 \quad R_2 \quad . \quad I_0 \quad -$$

$$R_1, \quad - \quad .$$

$$\vdots$$

$$= (I + I_0)R_1 + I R_2, \quad (5.11)$$

$$= (I + I_0)R_1 + U_0. \quad (5.12)$$

$$U_0 = I R_2, \quad (5.13)$$

$$(5.11)$$

$$I = \frac{-I_0 R_1}{R_1 + R_2}.$$

$$I \gg I_0,$$

$$(5.11) I \approx \frac{R_1 R_2}{R_1 + R_2},$$

$$U_0 = \frac{R_2}{R_1 + R_2} I, \quad (5.13)$$

$$U_0 = \frac{R_1}{R_1 + R_2} I,$$

R_2 .

$$I = \frac{U_0 (R_1 + R_2)}{R_1} \quad (5.9).$$

5.10,),

5.11.

(),

$$(I_0, I_0, I_0, U_0),$$

$i(u)$

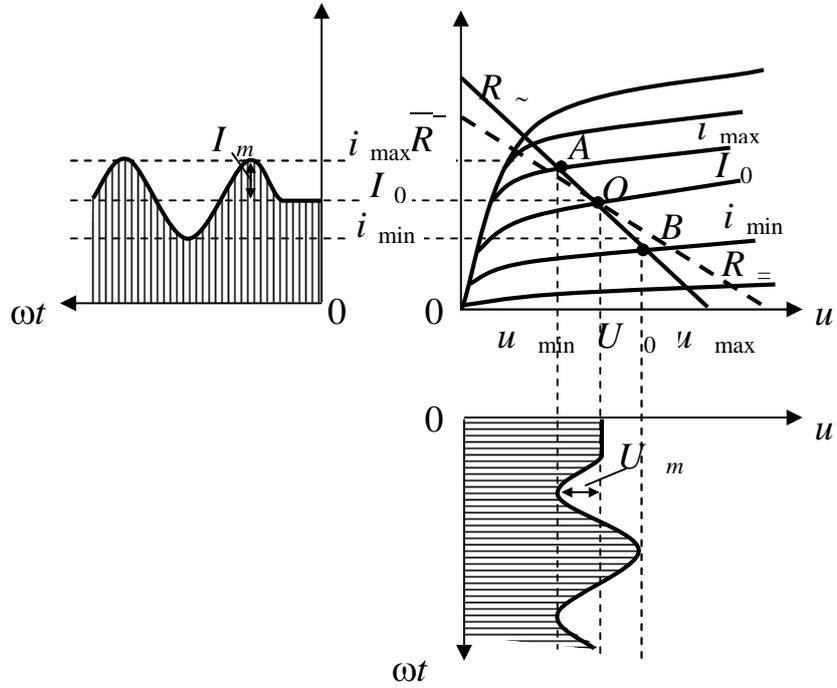
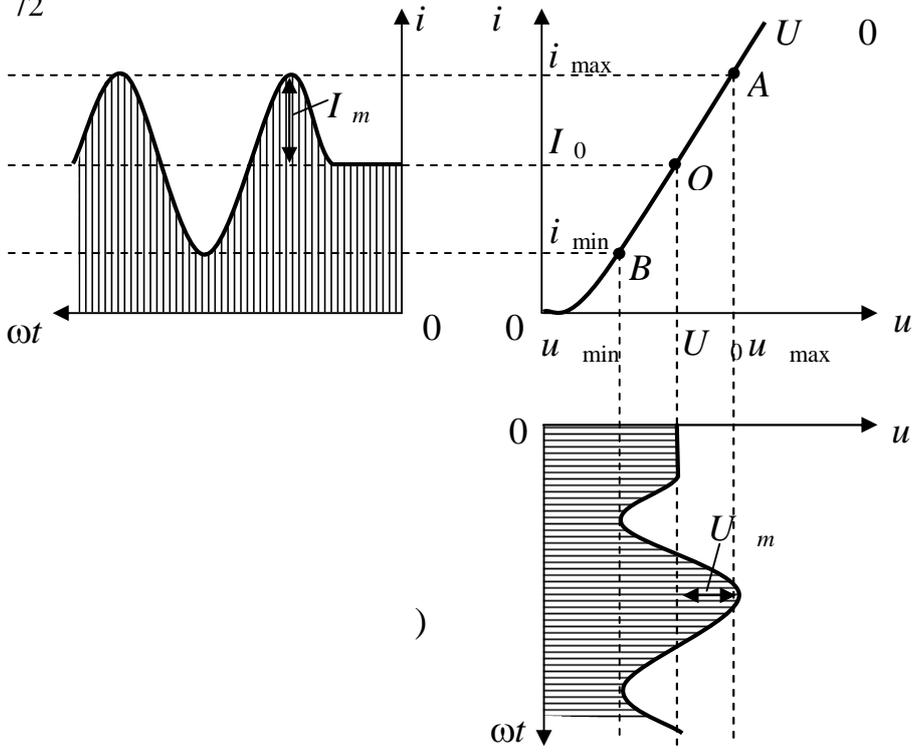
$$R_{\sim} = \frac{R \cdot R}{R + R} \quad (R, R),$$

$$R_{\sim} = \frac{R}{R}, \quad \text{tg } \alpha = \frac{1}{R_{\sim}}.$$

(5.9).

$i(u)$

- 1) $i = 0, u =$;
- 2) $u = 0, i = /R -$.



5.11 -

. 5.11,)

5.10,

$$I_0 = \frac{-U_0}{R} \approx \frac{U_0}{R},$$

(5.14)

$\gg U_0$.

$i = I_0$

(5.11,)

$$I_0 : U_0 = -I_0 R \quad U_0 \quad (5.15)$$

$R =$

5.11, ,

$$u = U_m \sin \omega t,$$

$$u = U_0 + U_m \sin \omega t, \quad (5.16)$$

$U_m = U_m$

I_m :

$$i = I_0 + I_m \sin \omega t.$$

5.11, , i_{\max}

i_{\min}

$R \sim$

I_m

U_m :

$$i = I_0 + I_m \sin \omega t; \quad (5.17)$$

$$u = -I_0 R - I_m \sin \omega t \cdot R \sim = U_0 - I_m \sin \omega t \cdot R \sim = U_0 - U_m \sin \omega t. \quad (5.18)$$

(5.11).

(5.18)

(),

$$\text{tg } \alpha = \frac{1}{R \sim} \quad (5.19)$$

5.10, $R = > R \sim,$

u

u

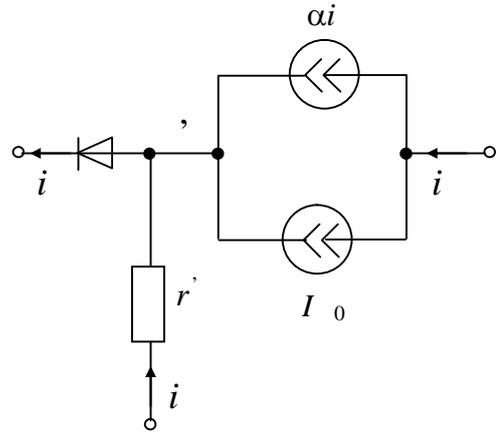
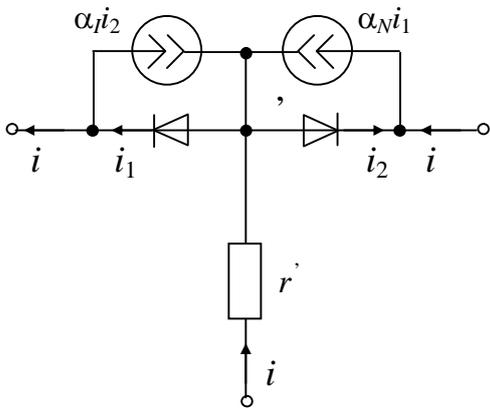
$$u = U_m \sin(\omega t - \pi), \quad (5.20)$$

$$u = U_m \sin \omega t.$$

() .

I_0

. 5.12, .



5.12 -

$n-p-n$:

. 5.12,

$$\alpha_N = \frac{i}{i} -$$

$(\alpha_N < 1)$,

$N -$

$$\alpha_I = \frac{i}{i} < 1 -$$

r' -

$$(i_2 = -I_0),$$

$\alpha_I i_2$

$$\alpha = \frac{i}{i} -$$

()

-n-p

. 5.12, .

N

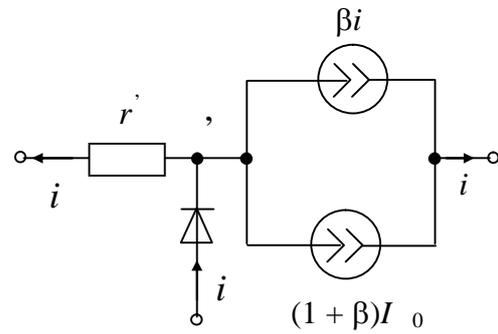
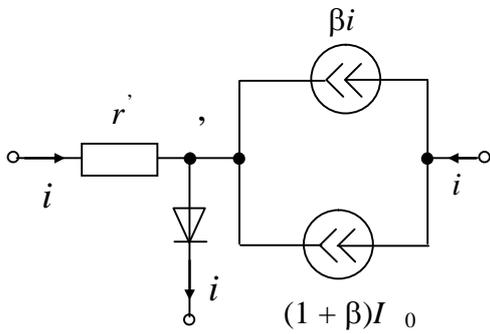
. 5.12

. 5.12,

$$i = \alpha i + I_0.$$

(5.29)

. 5.13.



5.13 -

:) n-p-n

;) -n-p

. 5.13,

$$i = i + i,$$

$$\beta = \frac{i}{i} = \frac{\alpha}{1-\alpha},$$

(5.30)

, $\beta \gg 1,$

$i \ll i,$

$$\alpha = \frac{i}{i} = \frac{\beta}{1+\beta}.$$

(5.31)

(5.29)

(5.31),

$$i = \beta i + (1 + \beta) I_0,$$

(5.32)

(5.13).

(. 5.12 5.13)

1) $h_{21} = \left(\frac{di}{di} \right)_{U = \text{const}}$, $h_{21} \approx \alpha$.

2) $h_{21} = \left(\frac{di}{di} \right)_{U = \text{const}}$, $h_{21} \approx \beta$.

$$h_{21} = \frac{h_{21}}{1 - h_{21}}, \quad h_{21} = \frac{h_{21}}{1 + h_{21}}, \quad (5.33)$$

$h_{21} \gg 1, h_{21} < 1, h_{21} \approx 0,98 \dots 0,995 - 1.$ ($h_{21 \text{ min}} \dots h_{21 \text{ max}}$)

3) $r = \left(\frac{du}{di} \right)_{U = \text{const}}$.

$$i = I_0 \left(e^{\frac{u}{\phi}} - 1 \right), \quad (5.34)$$

$I_0 = \dots$, $u = \dots$, $\phi = \frac{kT}{q}$, $k = 1,37 \cdot 10^{-23}$, $q = 1,6 \cdot 10^{-19}$, $\phi \approx 0,026$.

$U_0 \approx (0,3 \dots 0,4)$, $U_0 \approx (0,5 \dots 0,7)$, $U_0 \gg \phi$.

(5.34)

$$i = I_0 e^{\frac{u}{\varphi}},$$

$$\frac{1}{r} = \frac{di}{du} = \frac{1}{\varphi} I_0 e^{\frac{u}{\varphi}}.$$

$$I_0 = I_0 e^{\frac{u}{\varphi}}, \quad \frac{1}{r} = \frac{I_0}{\varphi}.$$

$$I_0 \approx I_0,$$

$$r = \frac{\varphi}{I_0} = \frac{0,026}{I_0}. \quad (5.35)$$

(5.35)

$$r_{Si} = \frac{0,034}{I_0}. \quad (5.36)$$

5)

$$\mu = \left(\frac{du}{du} \right)_{I=\text{const}}.$$

6)

$$\tau = r'$$

$$r' \approx \frac{\tau}{I_0}.$$

$$I_0,$$

$$(2...3) \quad I_0, \quad = 300^\circ, \quad I_0,$$

3

$$I_0$$

$$10^\circ,$$

$$\beta = h_{21}) \quad (5.32), \quad I_0 \quad ($$

$$I_0 = h_{21} I_0 + (1 + h_{21}) I_0, \quad (5.38)$$

$$I_0 = f(h_{21}, I_0, I_0).$$

$$w = f(x, y, \dots, z),$$

$$dw = \frac{\partial w}{\partial x} dx + \frac{\partial w}{\partial y} dy + \dots + \frac{\partial w}{\partial z} dz. \quad (5.39)$$

$$dI = \frac{\partial I}{\partial I} dI + \frac{\partial I}{\partial h_{21}} dh_{21} + \frac{\partial I}{\partial I_0} dI_0. \quad (5.40)$$

$$I_0 \quad I_0$$

$$dI \rightarrow \Delta I, \quad dI \rightarrow \Delta I, \quad dh_{21} \rightarrow \Delta h_{21}, \quad dI_0 \rightarrow \Delta I_0.$$

(5.38)

$$\frac{\partial I}{\partial I} = h_{21}, \quad \frac{\partial I}{\partial h_{21}} = I_0 + I_0, \quad \frac{\partial I}{\partial I_0} = 1 + h_{21}$$

(5.40).

$$\Delta I = h_{21} \cdot \Delta I + (I_0 + I_0) \Delta h_{21} + (1 + h_{21}) \Delta I_0 = h_{21} \Delta I + (1 + h_{21}) \Delta I_0, \quad (5.41)$$

$$\Delta I_0 \approx \Delta I_0 + \frac{I_0}{h_{21}} \cdot \frac{\Delta h_{21}}{h_{21}}. \quad (5.42)$$

$$\Delta I_0$$

$$\Delta I_0 \quad \Delta h_{21}.$$

$$\Delta h_{21}$$

$$h_{21},$$

$$h_{21} = \sqrt{h_{21 \max} \cdot h_{21 \min}}, \quad \Delta h_{21} = h_{21 \max} - h_{21 \min}.$$

$$\Delta I_0 \quad \Delta h_{21}$$

5.13, .

5.14.

5.14

u .

i

° :

$$u = f(i, T^\circ).$$

Δu .

$$\Delta u = \frac{\partial u}{\partial i} \Delta I +$$

$$+ \frac{\partial u}{\partial T^\circ} \Delta T^\circ = r \cdot \Delta I + \Delta U_0, \quad (5.43)$$

$$\frac{\partial u}{\partial i} = r -$$

(5.35) (5.36);

$$\Delta U_0 = \frac{\partial u}{\partial T^\circ} \Delta T^\circ -$$

ΔU_0 .

$$\Delta U_0 \approx -(0,06 + 0,002 \cdot \Delta^\circ), \quad (5.44)$$

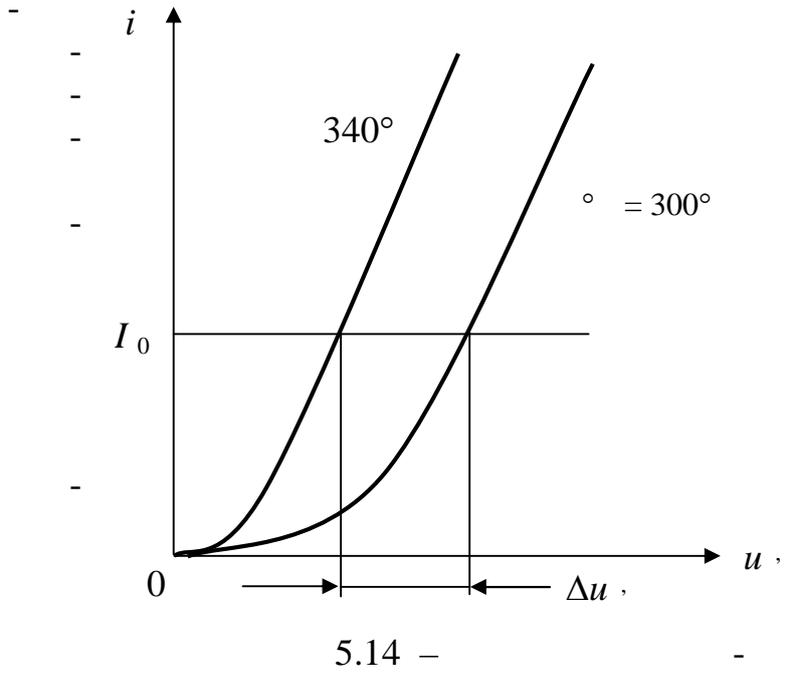
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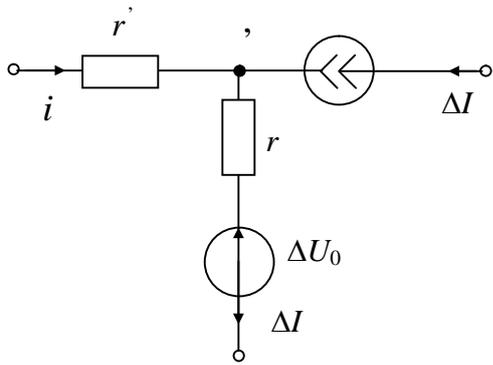
$$\Delta^\circ = \text{max}^\circ - \text{min}^\circ, \quad (5.45)$$

max° min° -

5.15,

$$\Delta I = h_{21} \Delta I + (1 + h_{21}) \Delta I_0. \quad (5.41)$$





5.15 –
n-p-n

1)

ΔU_0 ;

2)

ΔI_0 ;

3)

Δh_{21} ;

4)

ΔI .

I_0

ΔI ,

()
).

(

(5.15),

(()) I_0
(I_0, \dots), I_0
 I_0

U_0 ,

5.16,),

(5.16,),

(. 5.16,).

. 5.16

(. 5.16,)

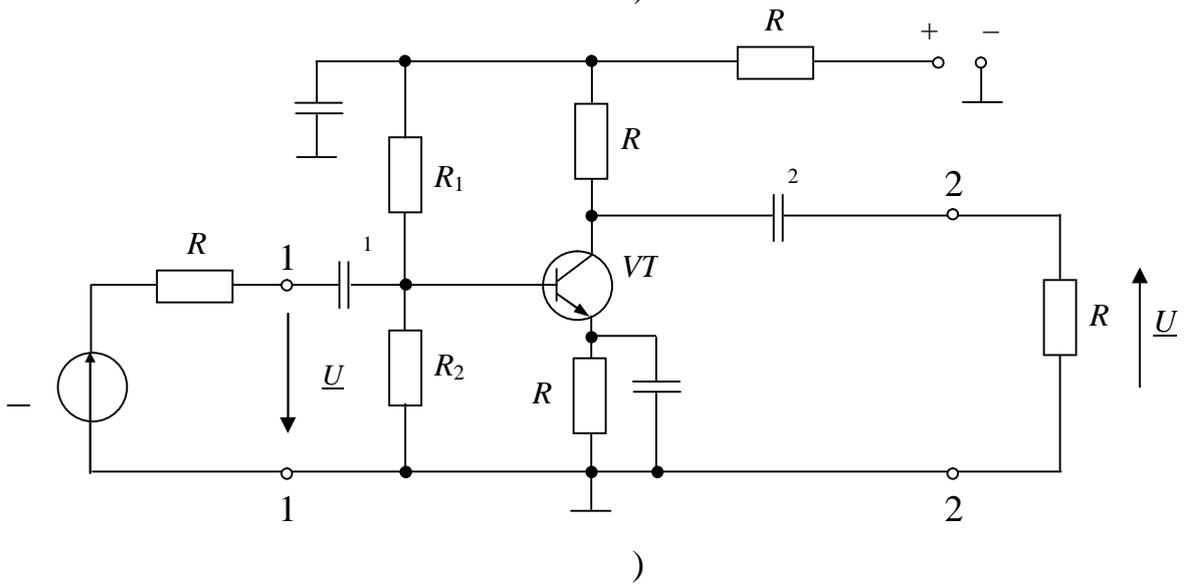
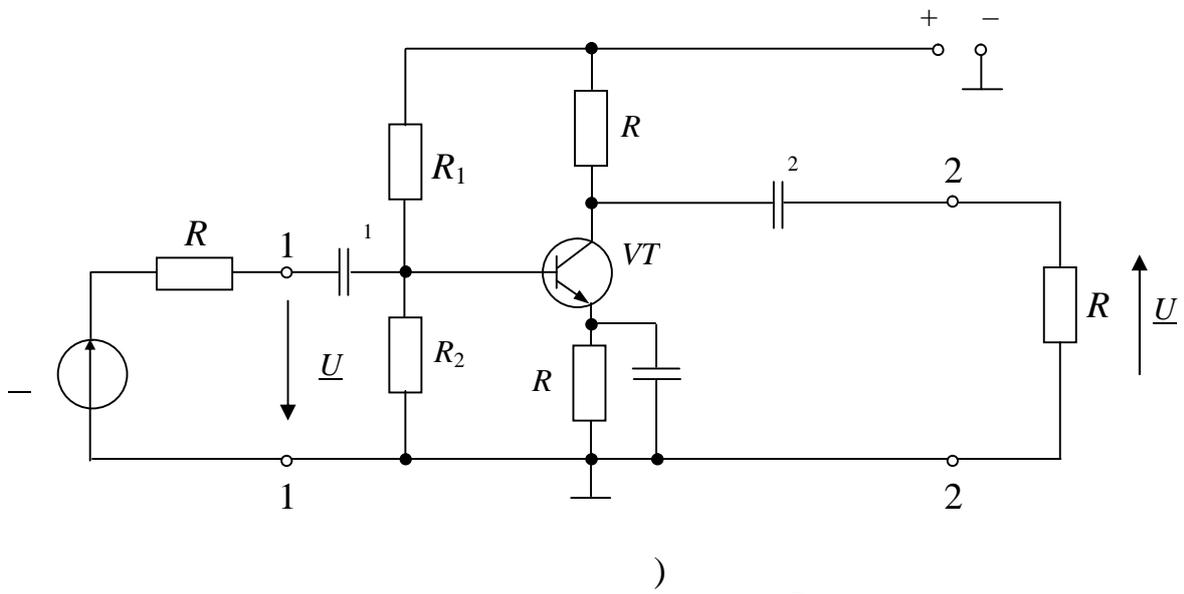
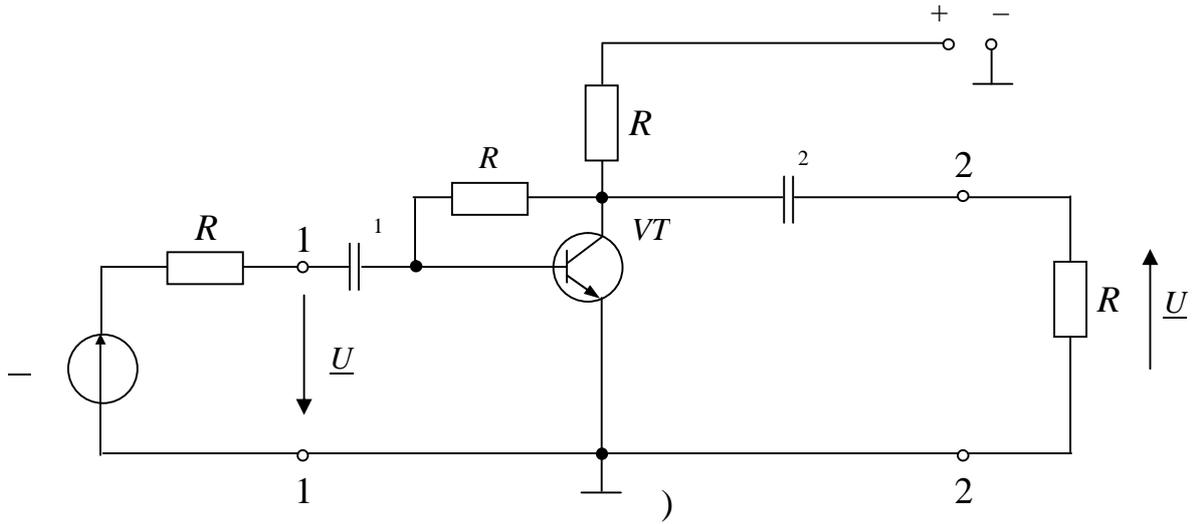
R

I_0

(5.44)

$$= R (I_0 + I_0) + R I_0 + U_0. \tag{5.44}$$

$$I_0 = \frac{-U_0 - I_0 R}{R + R}. \tag{5.45}$$



5.16 -

:)

;)

;

)

$$= (I_0 + I + I_0)R + (I + I_0)R_1 + I R_2. \tag{5.48}$$

, $I \gg I_0$,

$$I \approx \frac{-I_0 R}{R_1 + R_2 + R}, \tag{5.49}$$

(5.46).

$$I \left(\frac{U_0}{5.46}, \frac{U_0}{5.49} \right) \approx \frac{R}{I_0} \tag{5.16}$$

5.16 $p-n-p$

I_0

5.16,)

(5.15).

$= \text{const},$
($r = 0$).

1 2

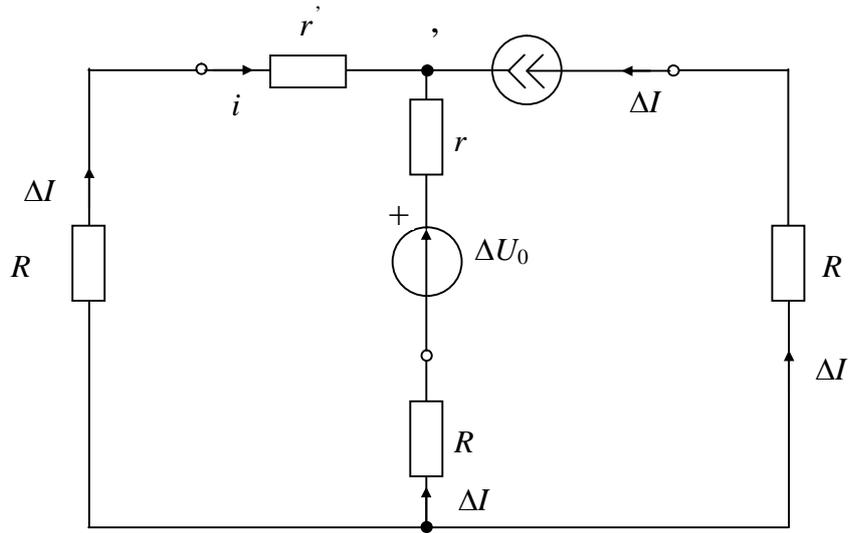
5.17.

(5.41),

$$\Delta I = h_{21} \Delta I + (1 + h_{21}) \Delta I_0,$$

$$R = \frac{R_1 R_2}{R_1 + R_2},$$

($r = 0$), $R_1 \quad R_2$



5.17 -

S,

$$S = \frac{\Delta I}{\Delta I_0}, \tag{5.50}$$

$(S = 1), \Delta I_0 -$
 $(\quad),$

(5.42), , S

$$(5.42) \quad \Delta I_0$$

I_0

$\Delta I .$

(5.41),

ΔI

$\Delta I ,$

. 5.17.

$\Delta I :$

$$\Delta I (R + r') + \Delta I (r + R) + \Delta U_0 = 0, \tag{5.51}$$

$$\Delta I = \Delta I + \Delta I .$$

$: R \gg r', R \gg r ,$

$$\Delta I = - \frac{\Delta I R + \Delta U_0}{R + R}. \tag{5.52}$$

$$(5.52) \quad (5.41)$$

$$\Delta I = \frac{\Delta I (1 + h_{21})(R + R) \Delta I_0 - h_{21} \Delta U_0}{R + (1 + h_{21})R}. \tag{5.53}$$

. 5.17

R

$\Delta I ,$

$$S = \frac{\Delta I}{\Delta I_0} = \frac{(1+h_{21})(R+R_0) - h_{21} \frac{\Delta U_0}{\Delta I_0}}{R + (1+h_{21})R} \tag{5.54}$$

(5.44) ΔU_0 ,

$$R_0 = - \frac{\Delta U_0}{\Delta I_0} R (1+h_{21}) .$$

$$S = \frac{1 + \frac{R}{R} + h_{21} \frac{R_0}{R}}{1 - h_{21} + \frac{R}{R}} \tag{5.55}$$

($R_0 \ll R$):

1) $R \gg R_0, S \approx \frac{1}{1-h_{21}} = 1+h_{21}$;

2) $R \gg R_0, S \rightarrow 1$,

(5.55), R, S, R ,

R , R -

I , -
 $S = 3...5$ -
 (. 5.16,) -

S , R , -
 (I_0, U_0) -

(5.55) , -

(. 5.16,) -

(. 5.16,) . R/R , -

$S = 5...10$.

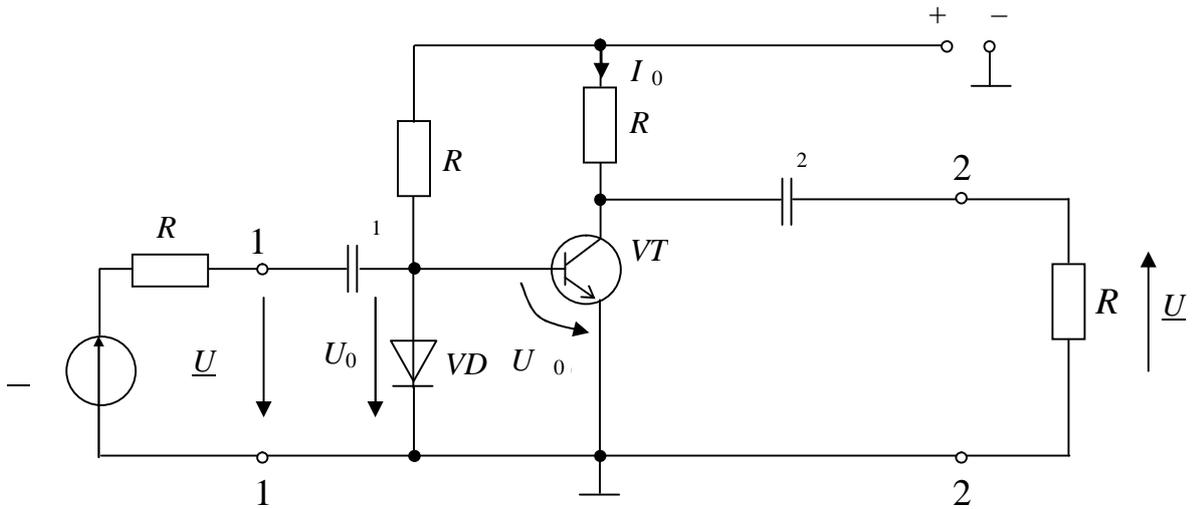
: I_0, U_0 .

()

$$S = 1, \Delta I_0$$

$$\Delta I_0 = I_0.$$

VD (. 5.18).



5.18 -

$$U_0. \quad U_0 = U_0,$$

VT

$$I_0$$

)

(

I

$$I_0 (),$$

I_0 .

5.4.3.

()

.5.2.

U ,

(

, $I \approx 0$),

(

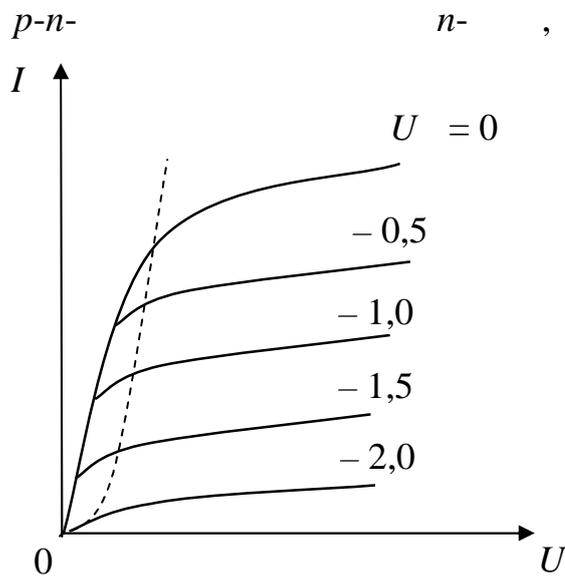
).

SiO_2 .

(-),

.5.2

5.19.



5.19 -

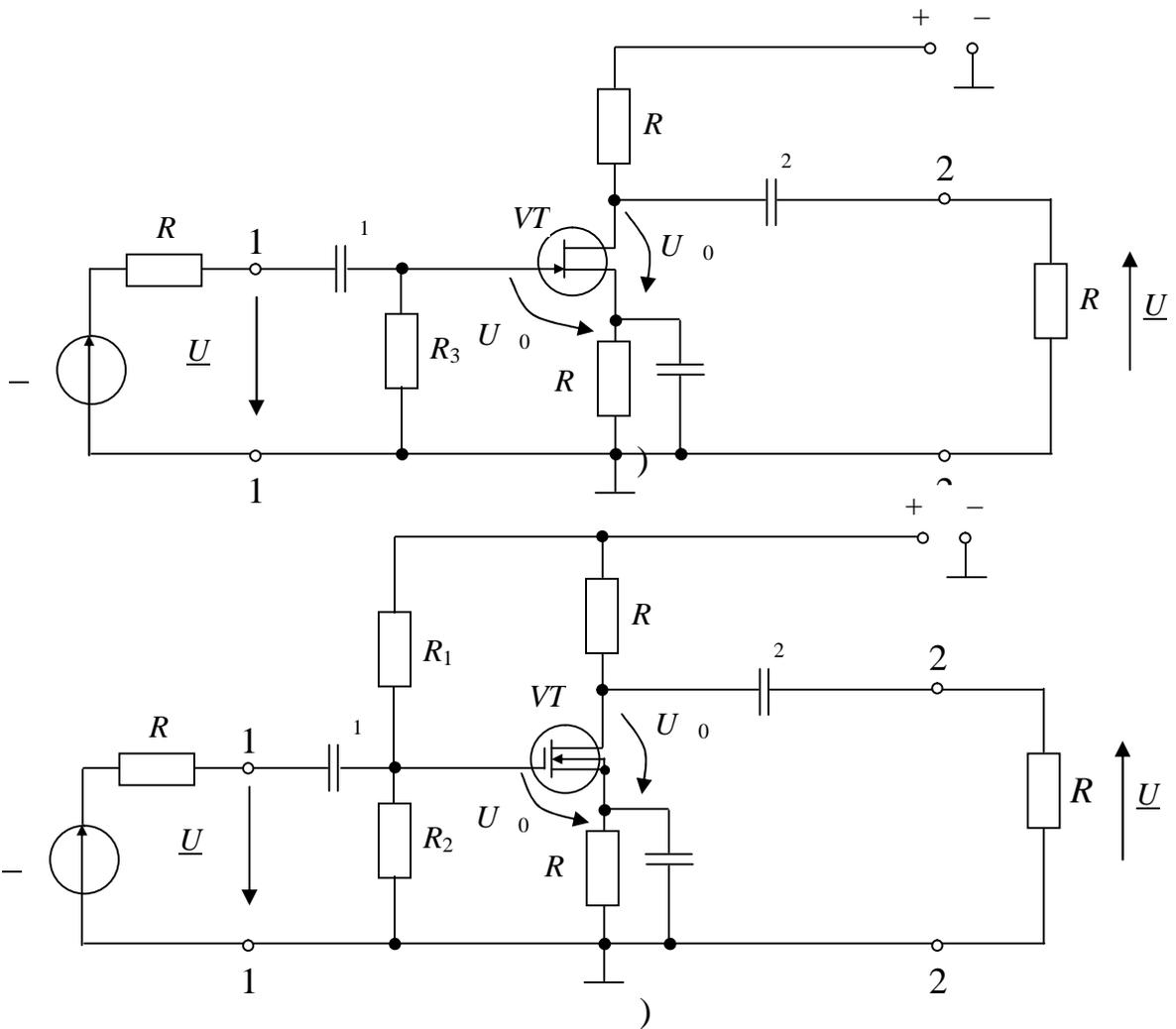
$p-n-$

$p-n-$

$n-$

()

.5.20, .



5.20 -

; -

: -

, . 5.2, 1,

n-

R_3 ($I = 0$),

$$|U_0| = I_0 \cdot R, \tag{5.56}$$

$I_0 -$

R
 $I_0 \cdot$

R

$R,$

$$U_0 = E - I_{c0} \cdot R_c - I_{c0} \cdot R. \tag{5.57}$$

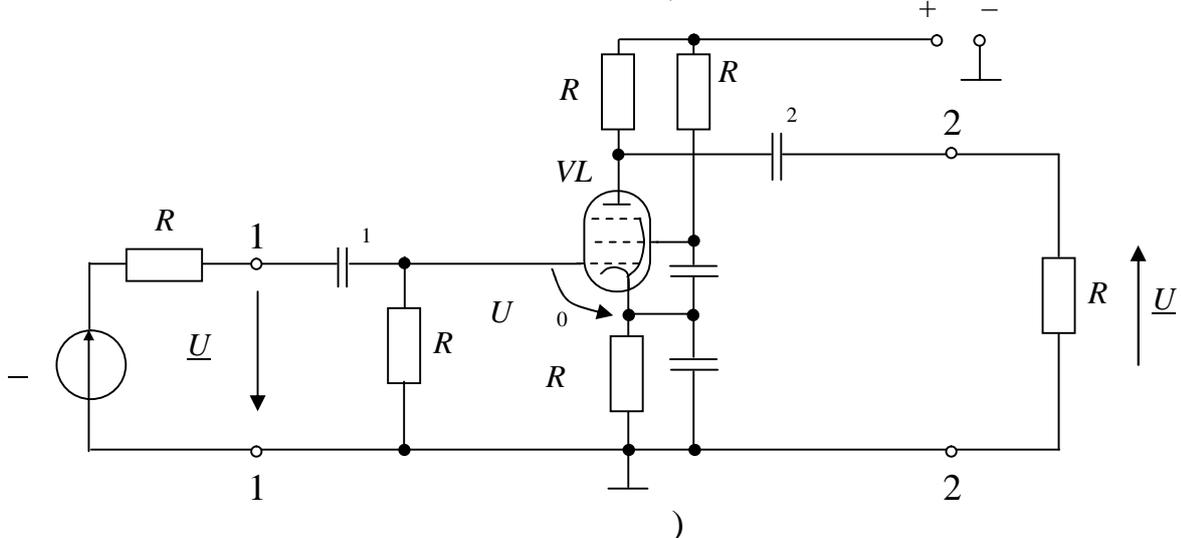
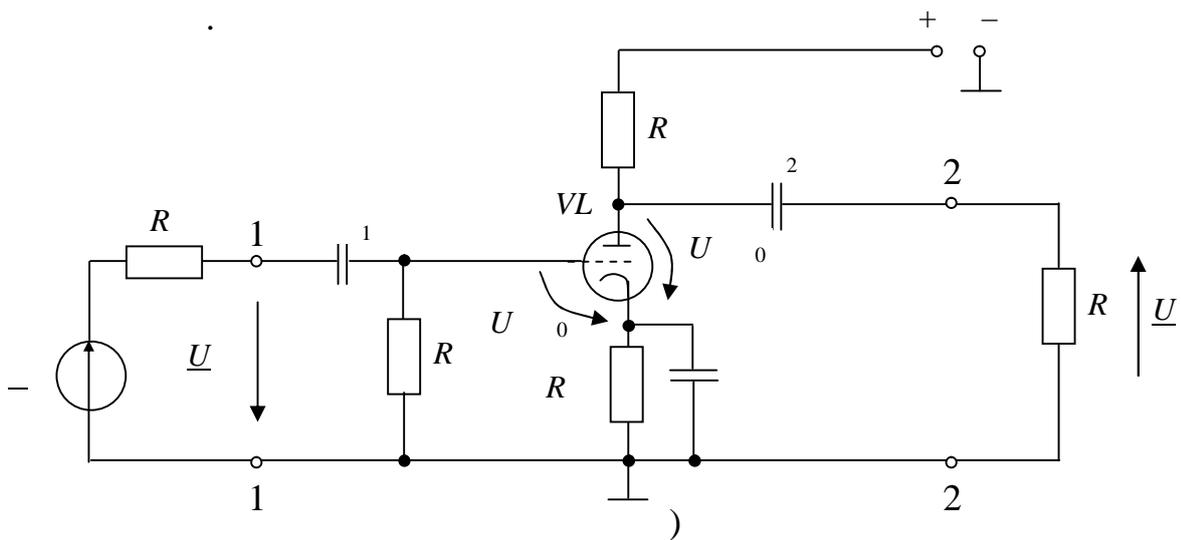
5.20, . 5.20, . 5.20, . 5.20, .

5.4.4.

5.21, . () 5.21, .

$$|U_0| = I_0 \cdot R, \quad (5.58)$$

$I_0 \approx I_{a0}$



5.21 -

; -

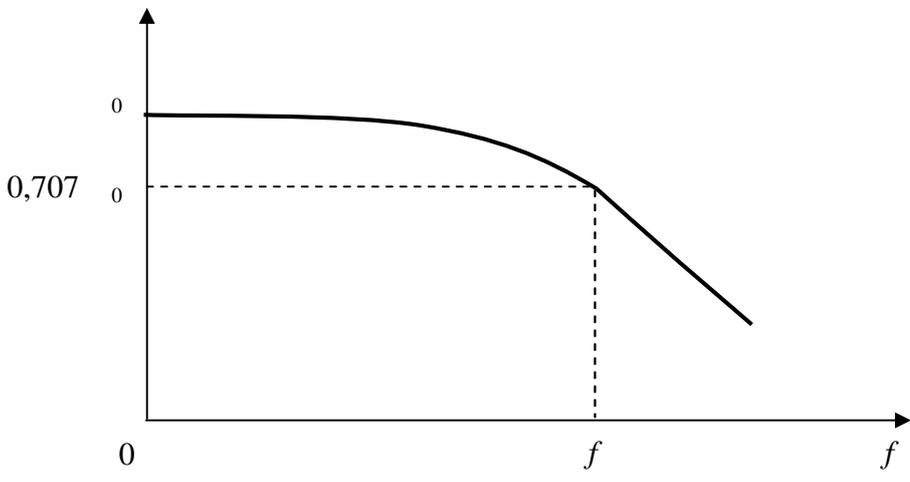
: -

R ()

$$U_0 = E - I_0 R - (I_0 + I) R \quad (5.59)$$

$$U_0 = E - I_0 R - (I_0 + I) R \quad (5.60)$$

5.5.



5.22 -

$f = 0$
 $f,$

()

. 5.22.

. 5.23.

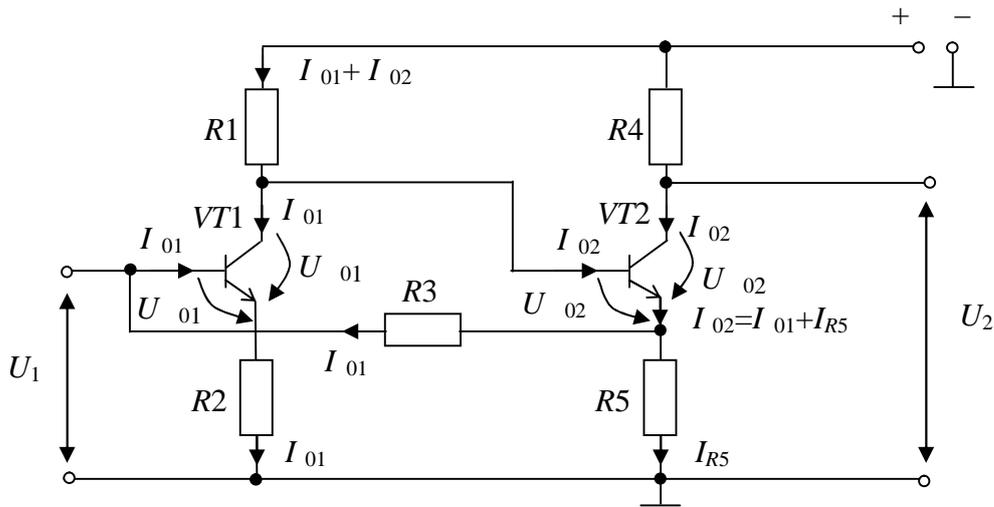
VT2,

. 5.23,

VT1

5.23)

5.23).



5.23 -

R_3
 . 5.23
 R_2 R_5 ,
 R_3 ,
 $VT1$.

$$U_{01} + U_{R2} = U_{02} + U_{R5}, \tag{5.61}$$

$$U_{R5} = U_{R3} + U_{01} + U_{R2}, \tag{5.62}$$

$$= U_{R1} + U_{01} + U_{R2}, \tag{5.63}$$

$$= U_{R4} + U_{02} + U_{R5}, \tag{5.64}$$

$$\begin{aligned}
 U_{R2} &= I_{01} \cdot R_2, \\
 U_{R3} &= I_{01} \cdot R_3, \\
 U_{R1} &= (I_{01} + I_{02}) \cdot R_1, \\
 U_{R4} &= I_{02} \cdot R_4, \\
 U_{R5} &= (I_{02} + I_{02} - I_{01}) \cdot R_5.
 \end{aligned}$$

$VT1$ $VT2$,

$VT1$ $VT2$

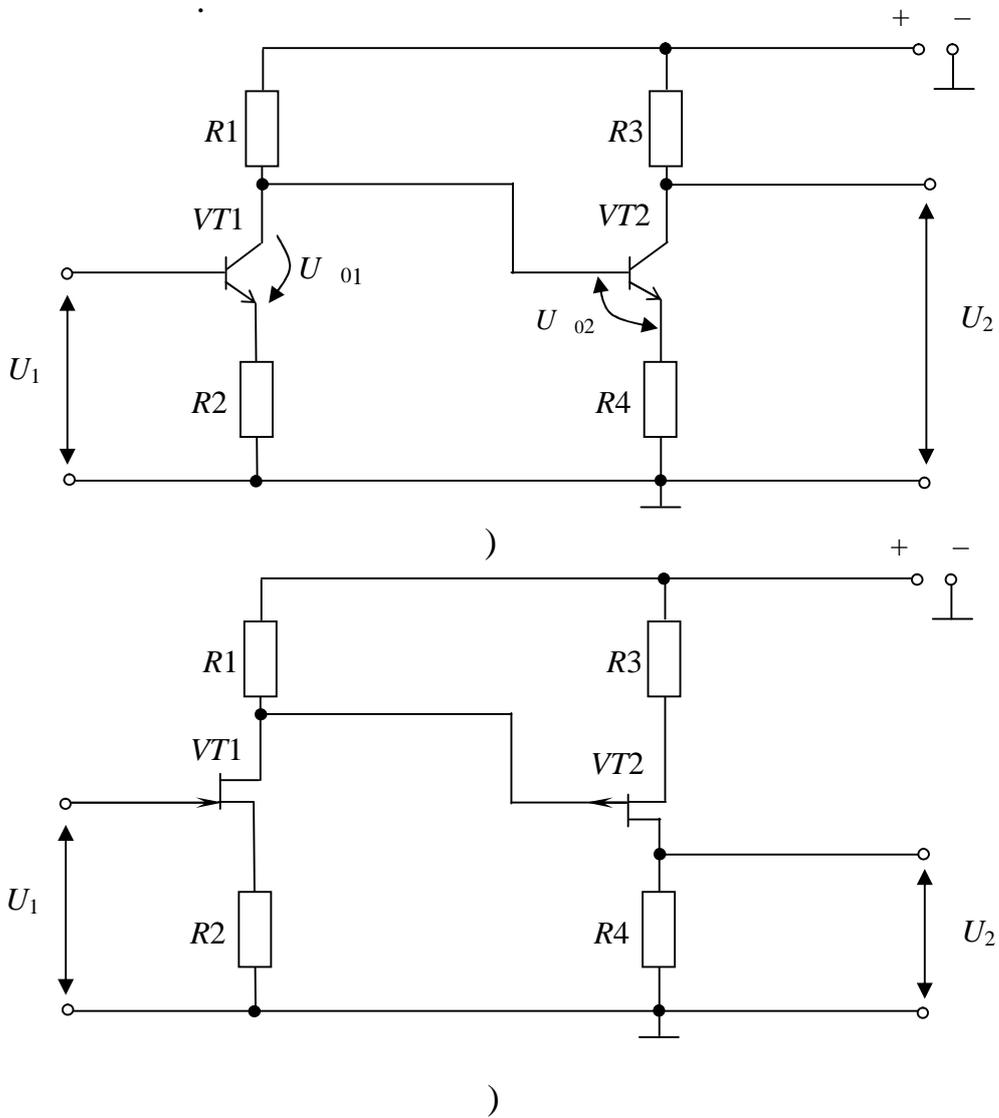
, . 5.15.

(5.61).

U_{02}
 $U_{R5} > U_{R2}$,
 . 5.23

U_{R5} ,

. 5.24,



5.24 -

; -

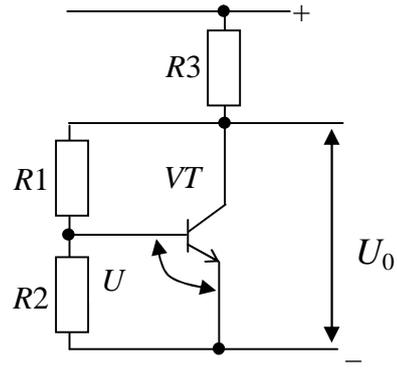
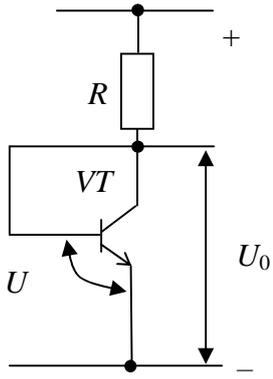
: -

()

. 5.25

n-p-n

-n-p



)
5.25 -

)
: -

. 5.25,

()

$$U_0 = U$$

$$\frac{\Delta U_0}{T^\circ} = -2 \quad /^\circ$$

$$U_0 = nU$$

n

$$U_0$$

(. 5.25,),

$$U_0 = U \left(1 + \frac{R_1}{R_2} \right)$$

$$\frac{\Delta U_0}{T^\circ} = \frac{\Delta U}{T^\circ} \left(1 + \frac{R_1}{R_2} \right)$$

$$\frac{R_1}{R_2}$$

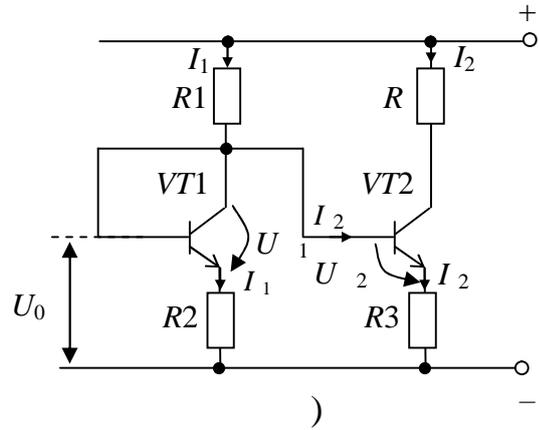
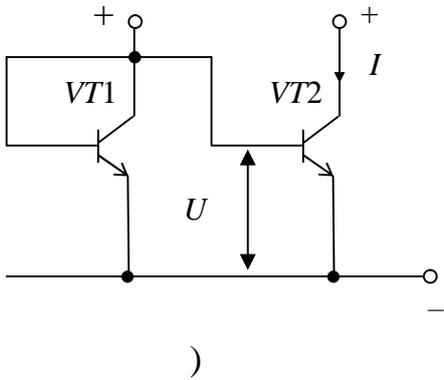
$$U_0 \frac{\Delta U_0}{T^\circ}$$

. 5.25,

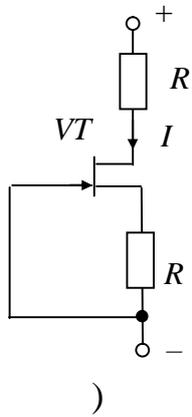
. 5.18.

().

. 5.26.



5.26 -



(. 5.26,)
VT2

VT2 -

: - ; - -

. 5.18.

. 5.26,

(

. 5.26,

$$U_0 = U_1 + I_1 \cdot R_2 = U_2 + I_2 \cdot R_3. \quad (5.65)$$

$$I_2, \quad I_1 = I_1, I_2 = I_2.$$

$$I_2 = I_1 \frac{R_2}{R_3}. \quad (5.66)$$

$$R_2 \quad R_3$$

($R_2 = R_3$),

(5.66)

VT1 VT2
 $I_2 = I_1.$

(

. 5.26,
 $I_1,$

I_2

R

. 5.26,

-n-

n-

$$R : |U| = IR .$$

(
I

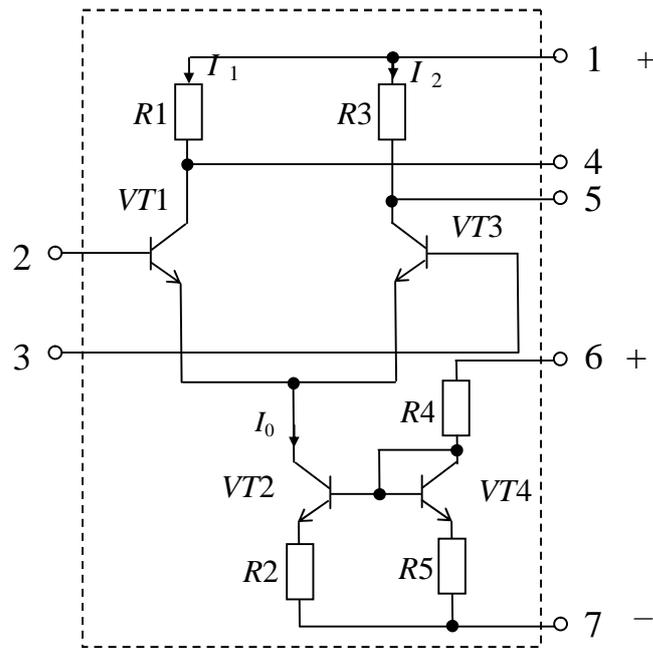
)

. 5.26, ,

. 5.26, ,

VT2
R3,

. 5.27



5.27 -

(2 3)

(4 5),

2 3. R1 R3

(R1 = R3),

VT1 VT3 -

$$I_0 = I_1 + I_2 = \text{const}$$

VT1 VT3

().

. 5.26, ()

VT2,

VT4

R2, R4, R5.

VT4

VT2

R2

R4, R5

VT4.

I0

VT4

VT2 VT4.

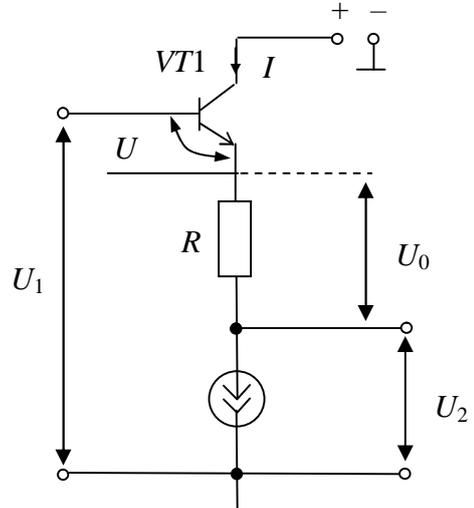
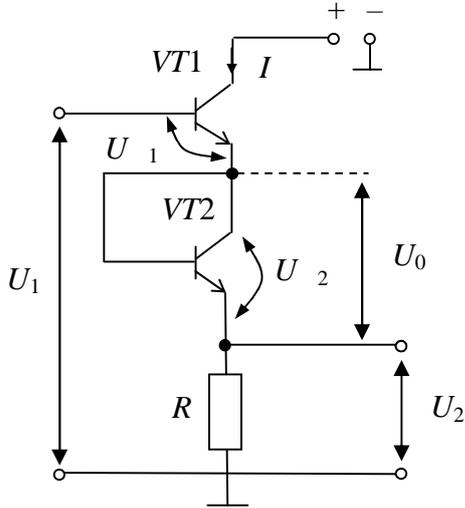
VT2

R_2 .

I_0

()

. 5.28.



5.28 -

. 5.28

. 5.28,

. 5.25, .

VT2

U_0 ,

$U_0 = U_2 = 0,7$

$U_2 = U_1 - U_{VT1} - U_0 = U_1 - 2U$

VT1 VT2

U_2 ,

. 5.28,

. 5.28, .

$I = \text{const}$,

(),

$U_2 = U_1 - U - IR$.

$I R$,

. 5.28,

()

R_i .

$R_i \rightarrow \infty$,

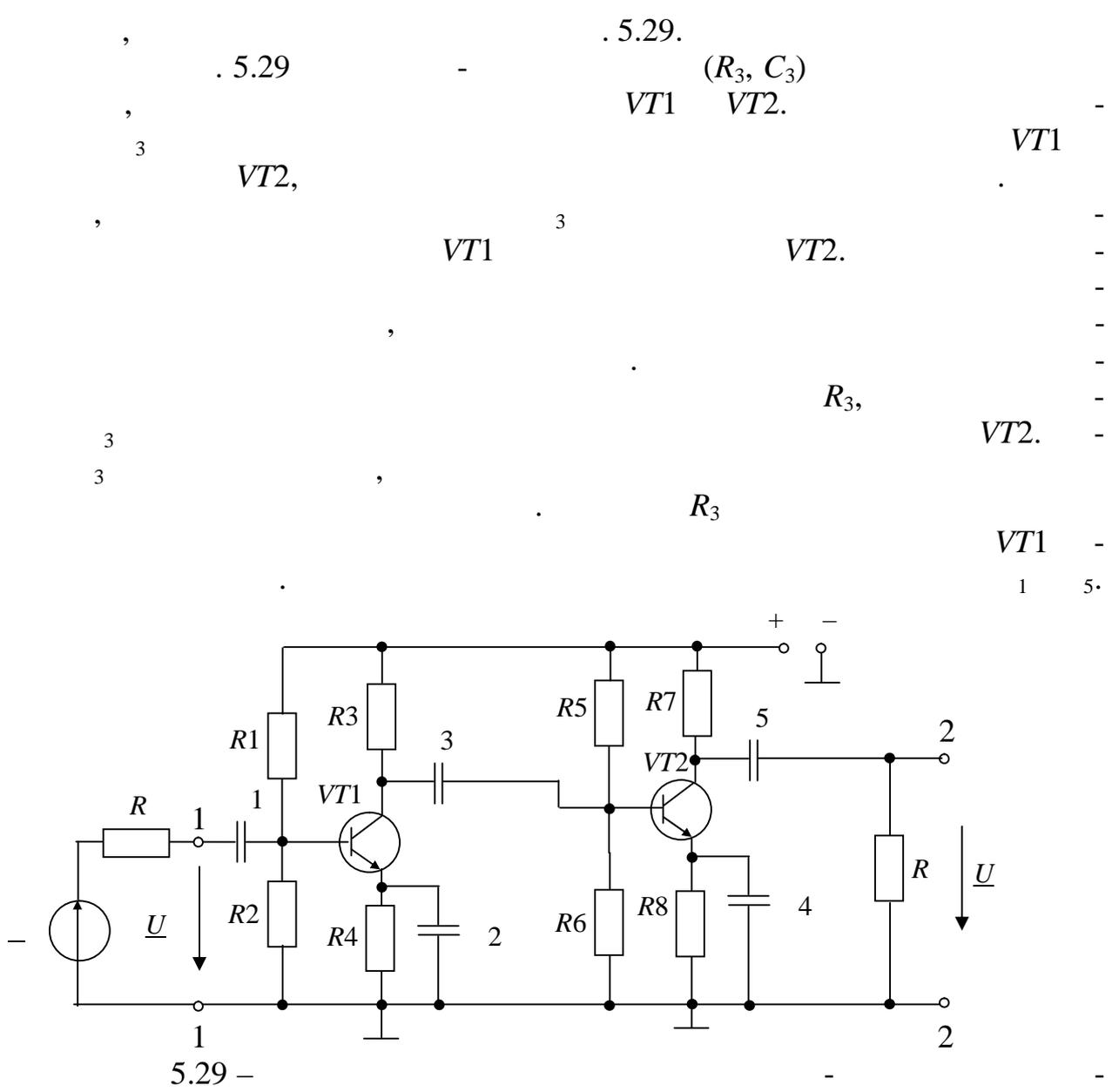
$= 1$

$\frac{R_i}{R}$

5.6.

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 ,
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 :
 , . 5.1, 5.2 5.3.
),
 () - (. 5.23, 5.24).
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 ().
 (. 5.28),
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 (1/f)
 ,
 U
 ()
 U ,
 U ,

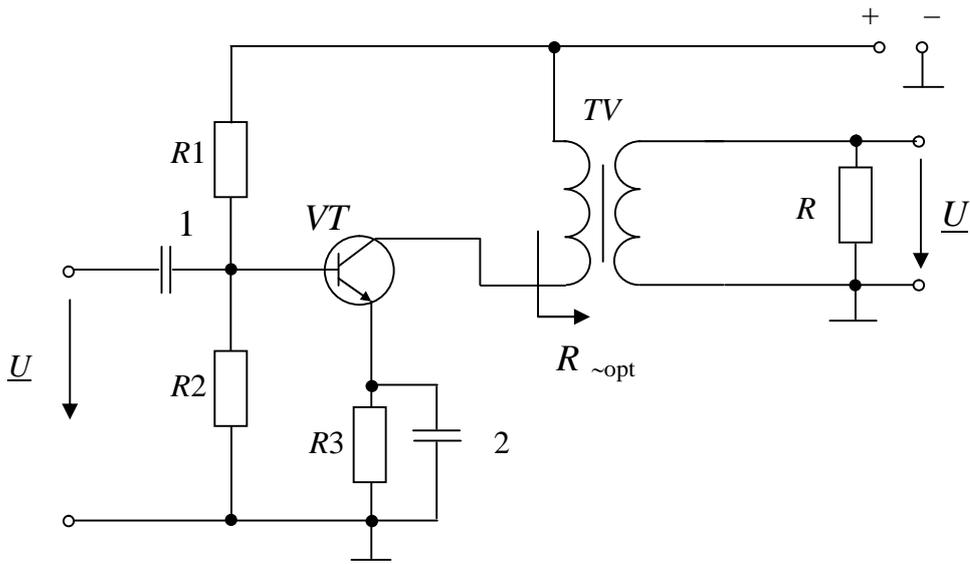
$$U \leq 0,05 \cdot U_{\min}$$



(. 5.30).

25%.

VT
TV.
(. 5.30
VT).



5.30 -

($R_{\sim opt}$),

, .
 .
 -

1

1. , , .
 , :

- 1) $>$;
- 2) $\varphi = \pi$;
- 3) $<$;
- 4) $\gamma = 1 - < 1$;
- 5) $\varphi = 0, 2\pi, \dots$;
- 6) $\gamma = 1 + > 1$.

2. , .
 , , -

3. , , .

- :
- 1) ;
 - 2) ;
 - 3) .
4. , , .

- 1) ;
- 2) ;
- 3) .

5. , , .
 , :

- 1) $>$;
- 2) $\varphi = \pi$;
- 3) $<$;
- 4) $\gamma = 1 - < 1$;
- 5) $\varphi = 0, 2\pi, \dots$;
- 6) $\gamma = 1 + > 1$.

6. , , .
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- 1) ;
 - 2) ;
 - 3) .

7. , , .

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- 1) ;
 - 2) ;
 - 3) .

8.

1)

2)

3)

9.

γ :

1)

($\gamma = 1$);

2)

($\gamma \ll 1$);

3)

($\gamma \gg 1$).

10.

1)

2)

3)

11.

1) $I = I + I$;

2) $I = I + I$;

3) $I = I + I$.

12.

1)

2)

13.

1)

2)

3)

14.

1)

2)

3)

15.

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16.

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2)

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17.

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1)

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2)

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1. : .
 .- : , 2003. - 52 .
2. :
 .- : , 2006. - 48 .
3. :
 .- : , 2003. - 230 .
4. : -
 .- . 1.- : , 2004. - 180 .
5. : .- :
 , 2000. - 212 .
6. : . -
 ∴ , 1989. - 400 .
7. : . - ∴
 , 1983. - 264 .
8. :
 .- ∴ , 1983. - 320 .
9. : -
 ∴ , 1977. - 672 .
10. : -
 .- ∴ , 1980. - 424 .

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